



Leibniz-Institut für  
Astrophysik Potsdam

# Dark matter distribution on small scales

Matthias Steinmetz (AIP)

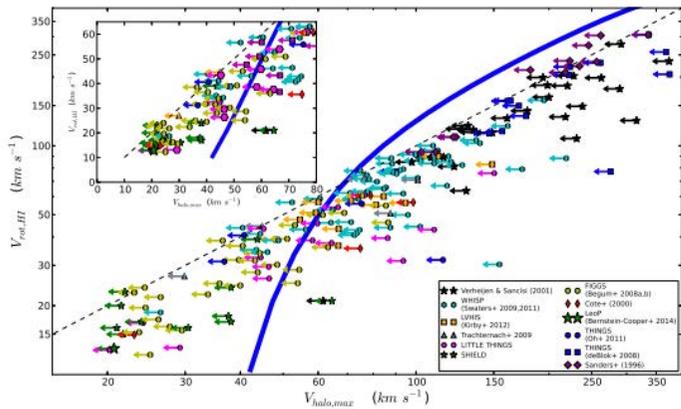


# Agenda

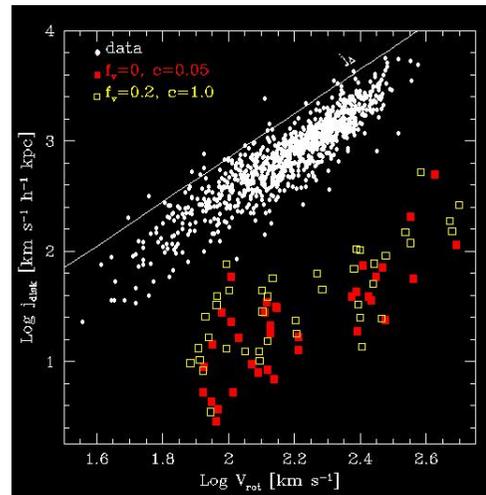
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- Issues of the  $\Lambda$ CDM model on small scales ( $\approx 1\text{Mpc}$ )
- Vast planes of satellites
- Constrained Local Universe Simulations (CLUES)
- The mass of the Milky Way's dark matter halo and the local dark matter density
- Summary and conclusions

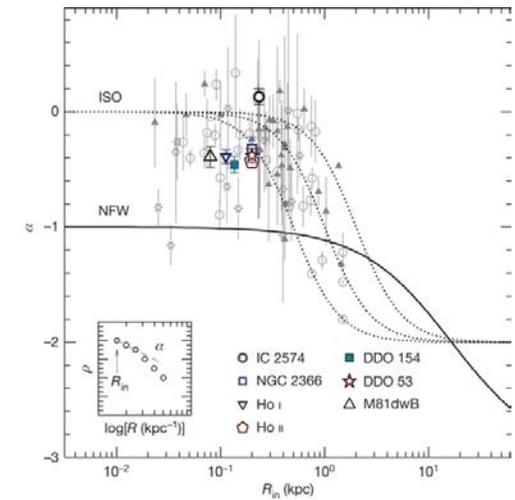
# LCDM: Issues an small ( $\approx 1\text{Mpc}$ ) scales



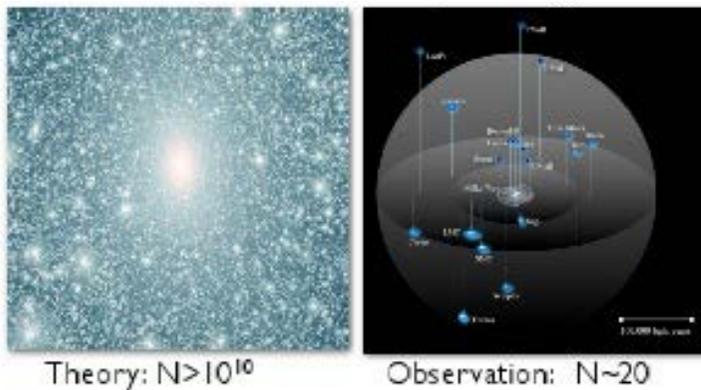
too big to fail



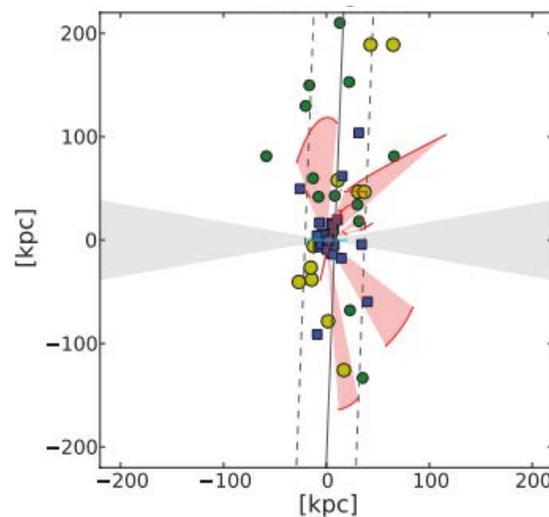
AM catastrophe



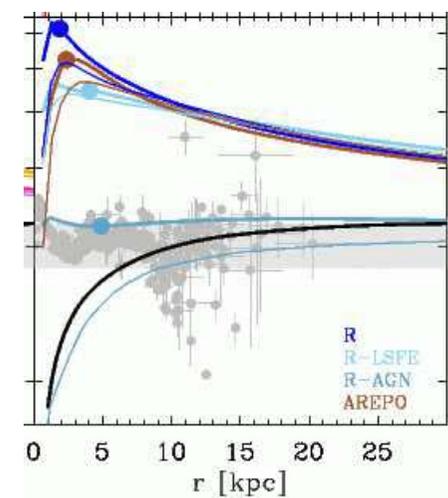
core vs cusp



Substructure crisis



Vast planes of satellites



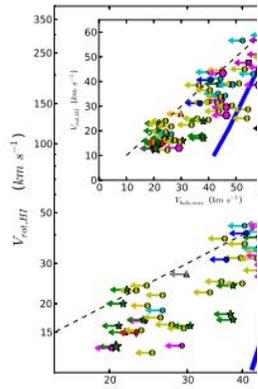
Massive old bulges

# LCDM: Issues at small ( $\approx 1\text{Mpc}$ ) scales

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- Astrophysics: We do not understand galaxy formation (ISM physics, feedback, AGN, cosmic rays ...)
- Cosmology: The structure formation paradigm is wrong or incomplete at small scales (WDM, SIDM, MOND ...)
- Observations: The observational data is biased or incomplete (Zone of avoidance, completeness limits, beam smearing ...)
- Comparison Theory vs Observations: comparing apples with oranges

# LCDM: Issues an small ( $\approx 1\text{Mpc}$ ) scales

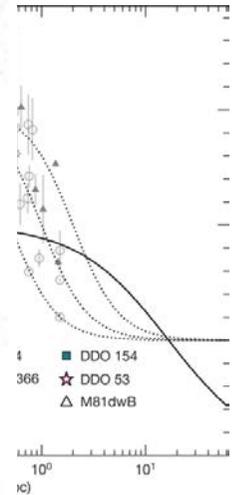
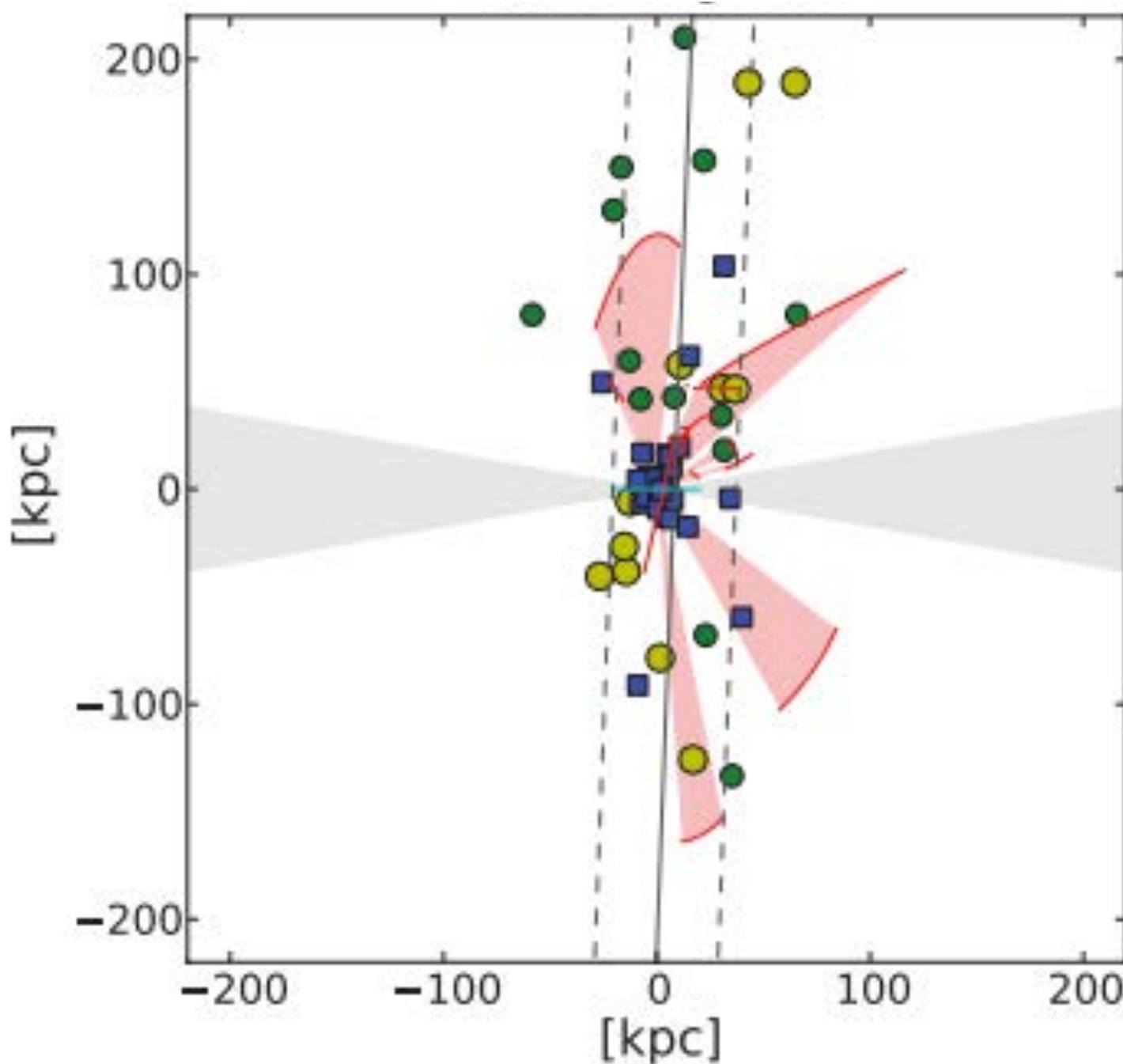


too

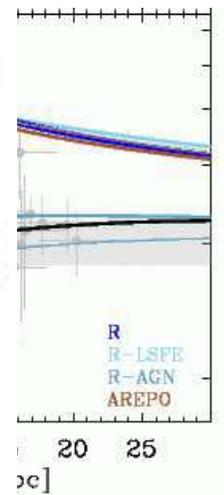


Theory:  $N > 10^{10}$

Sub

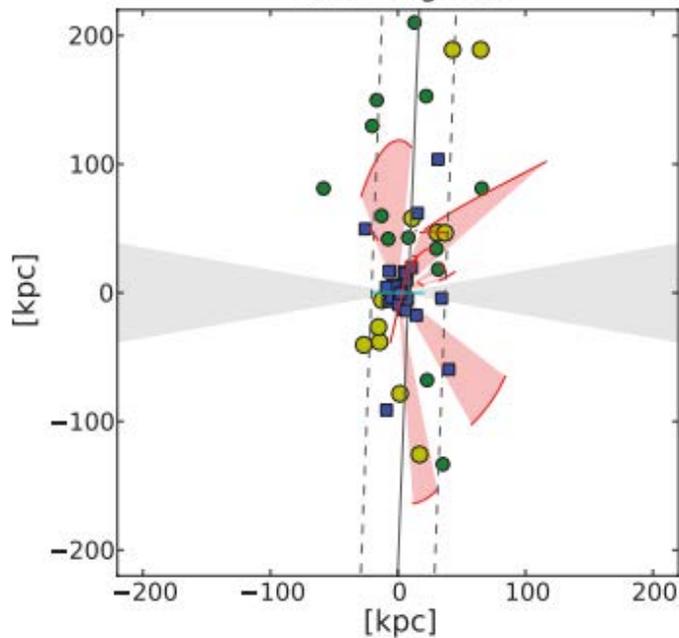


cusp

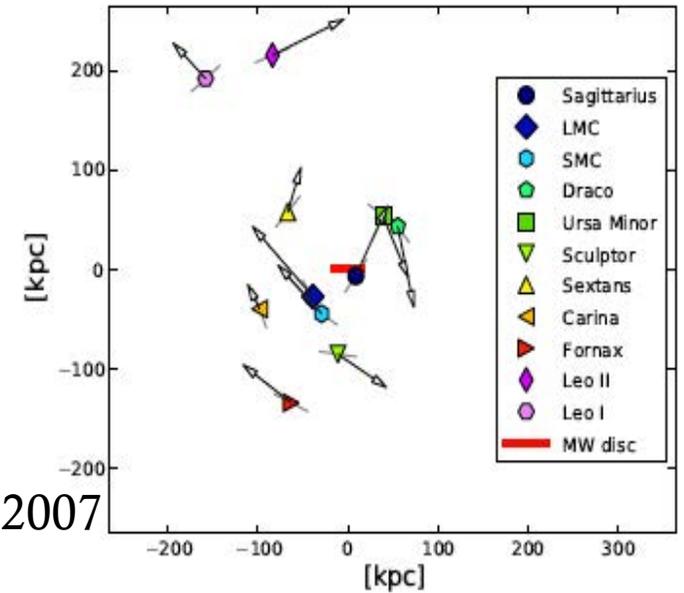


the old  
ages

# Milky Way – Vast Polar Orbiting structure (VPOS)



$c/a \sim 0.15$   
 $\Delta_{rms} = 24 \text{ kpc}$

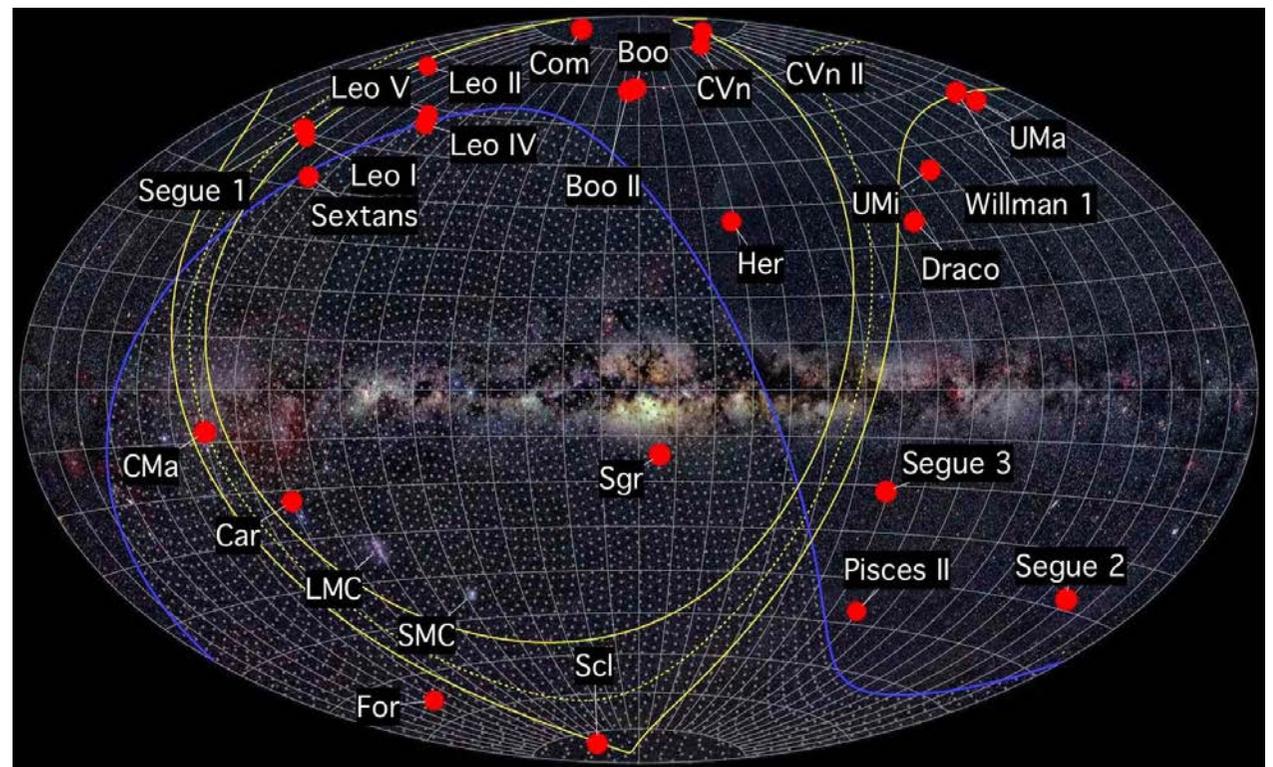


Metz, Kroupa & Libeskind 2007  
 Pawlowski & Kroupa 2013

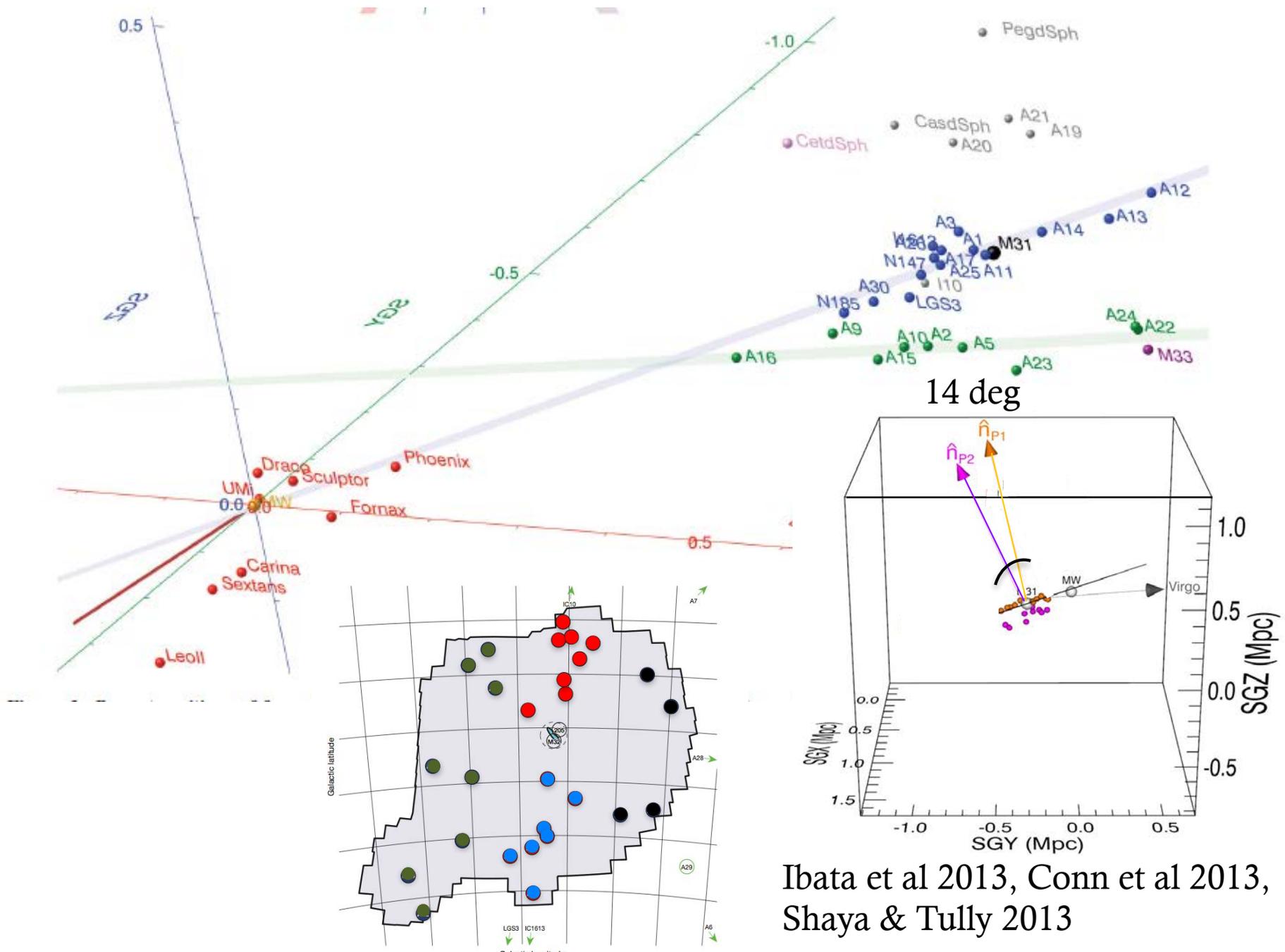
Pawlowski et al 2012  
 Metz, Kroupa & Jerjen 2007  
 Kroupa, Theis, Boily 2005

Kunkel & Demers 1975  
 Lynden-Bell 1976, 1982  
 Lynden-Bell & Lynden Bell 1982

Sloan Digital Sky Survey (SDSS)



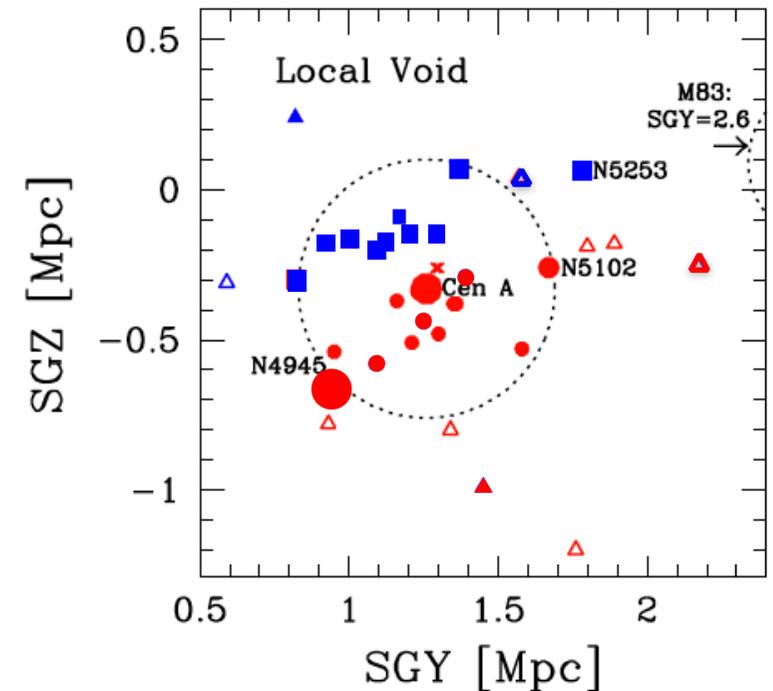
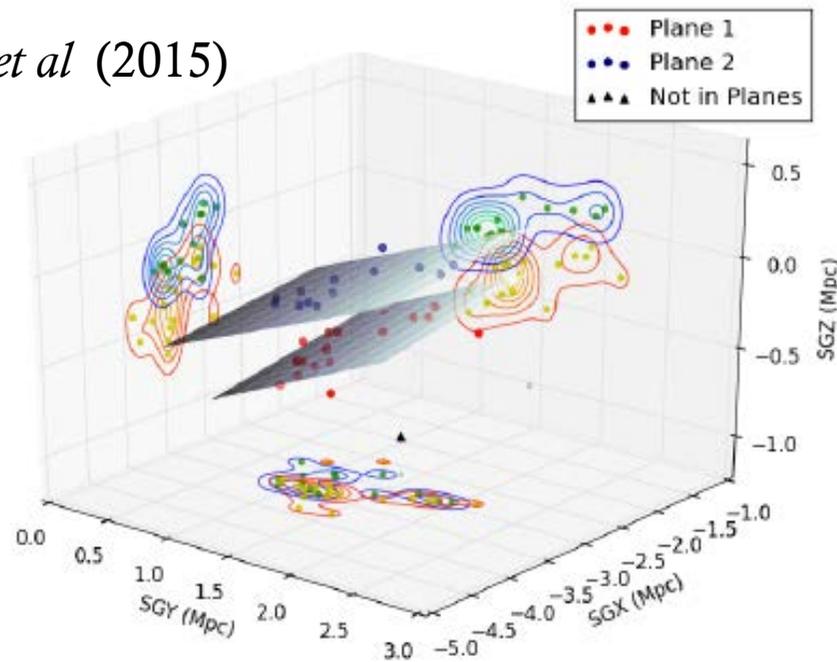
# Andromeda - 2 planes, one co-rotating.



Ibata et al 2013, Conn et al 2013,  
Shaya & Tully 2013

# Centaurus A Planes

Tully *et al* (2015)



36 galaxies in total, 29 with distances

16 in plane 1  
11 in plane 2  
2 not in either

7 without distances of which  
+4 could be Plane 1 and  
+2 in plane 2

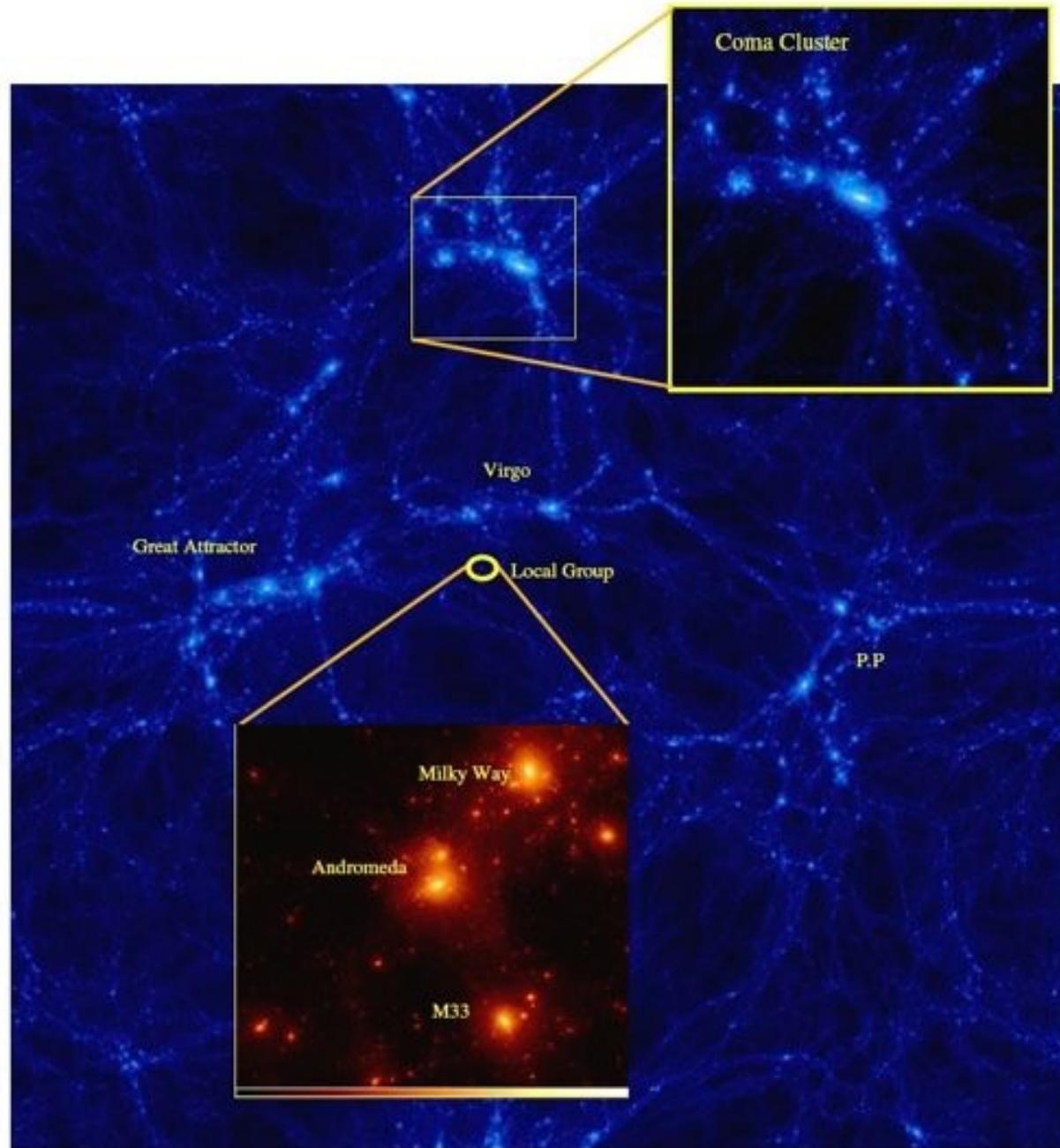
	Plane 1 (all)	Plane 1 (good)	Plane 2 (all)	Plane 2 (good)
$a_{rms}$	397 kpc	346 kpc	413 kpc	250 kpc
$b_{rms}$	287 kpc	203 kpc	200 kpc	236 kpc
$c_{rms}$	79 kpc	73 kpc	48 kpc	47 kpc
$c/a$	0.2	0.21	0.12	0.19
$b/a$	0.72	0.60	0.50	0.95
$c/b$	0.28	0.36	0.24	0.2

# Vast planes of satellites

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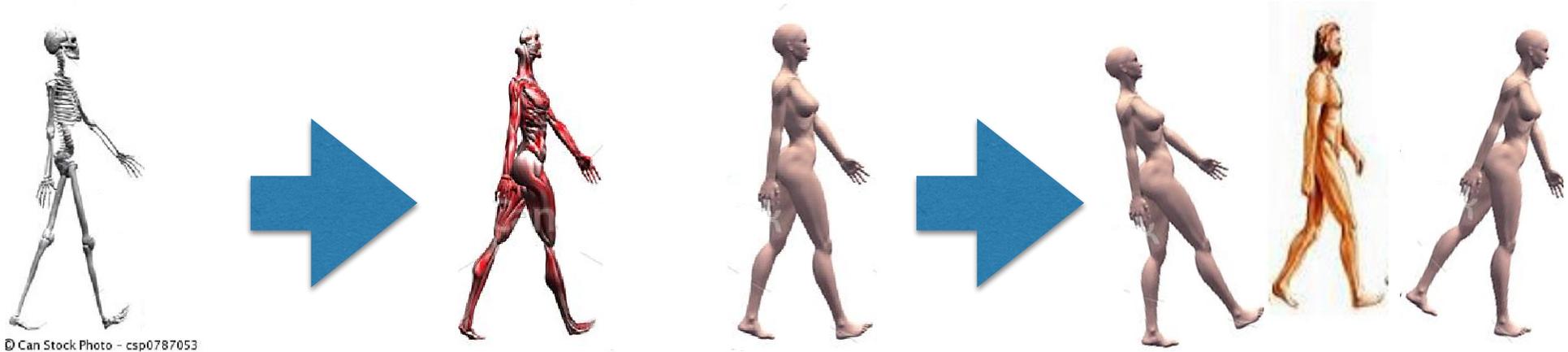
- 5 such planes discovered in the Local Group
  - they are very thin ( $\sim 50\text{kpc}$ )
  - kinematically consistent (Andromeda: rotating?)
  - Dark Energy Survey: newly discovered satellites fall into the same plane
- Statistical fluke of the Local Group?
- If ubiquitous in the universe, then they pose an interesting challenge to LCDM
  - standard DM modification (SIDM, WDM) would not provide a solution (actually, it would be even more difficult)
  - Astrophysics:
    - tidal torque theory: disks tend to be perpendicular to the local sheet (Navarro, Abadi + MS, 2004)
    - correlations between large scale matter infall and „lighting up“ dwarf halos?

# How to simulate the Local Universe?



$160h^{-1}$   
Mpc

# Constrained Simulations (from thesis J. Sorce)



© Can Stock Photo - csp0787053

Constraints from Observations

Reconstruction

Realizations

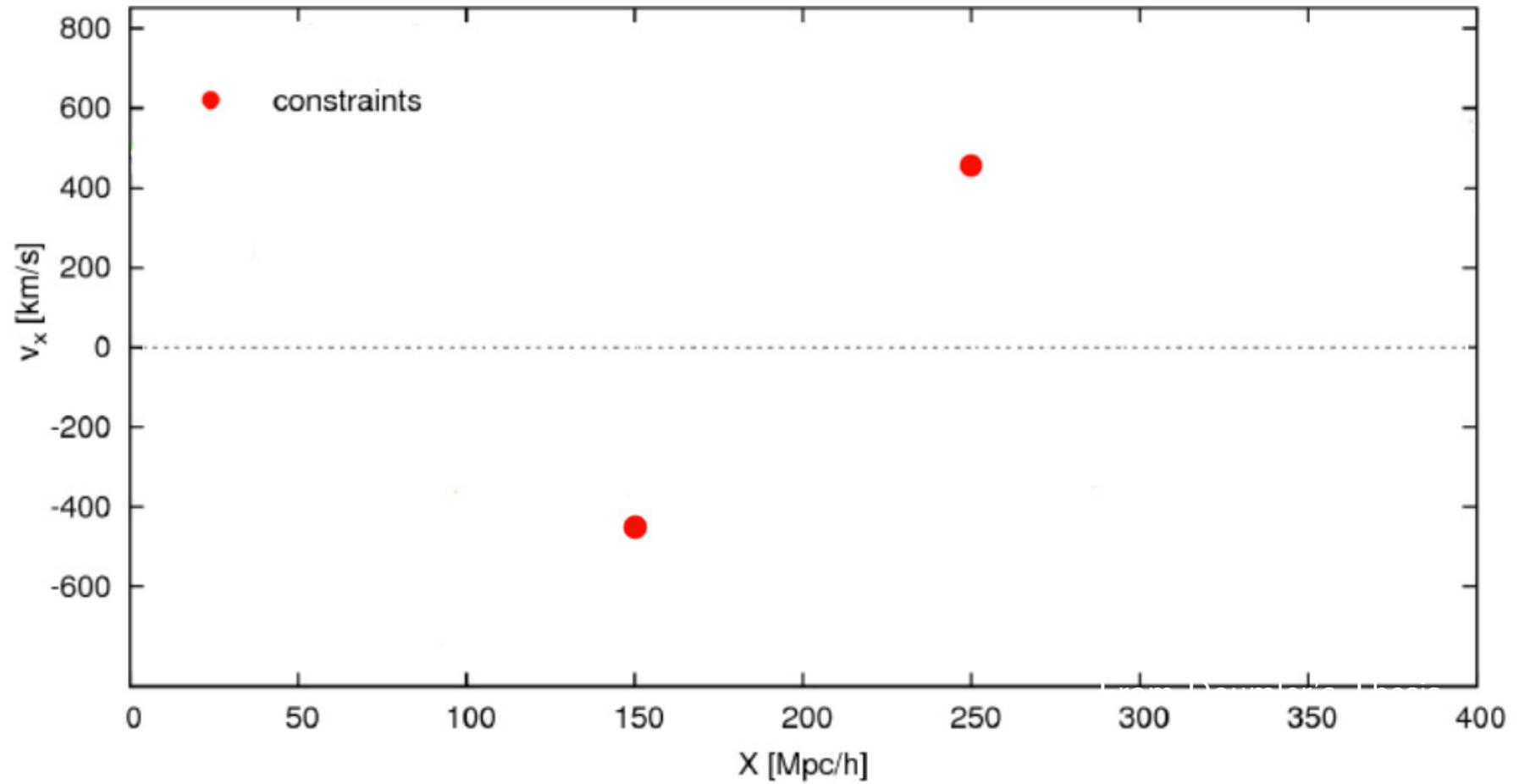


Initial Conditions

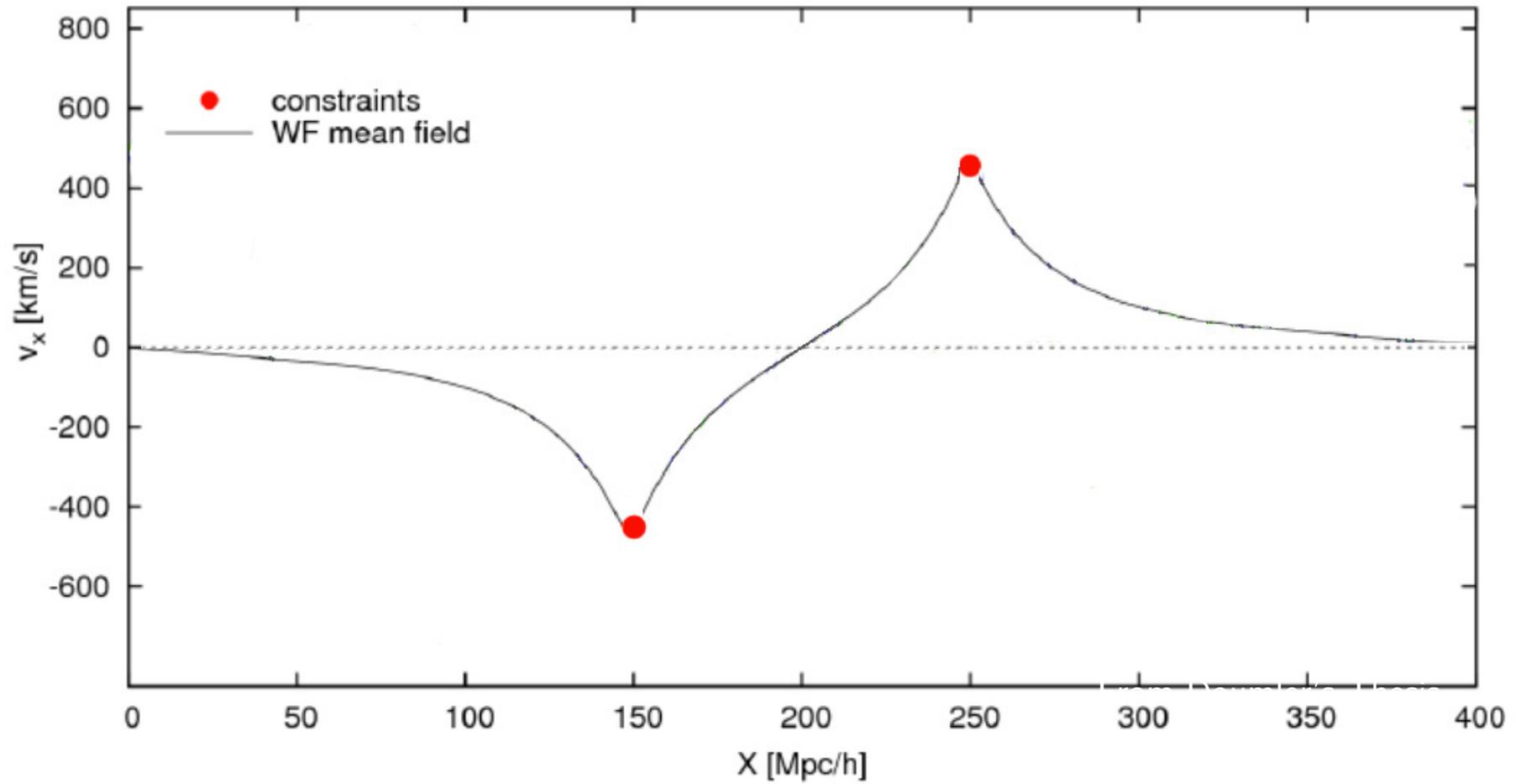
Constrained Simulation of Evolution

# 1D example - constraints

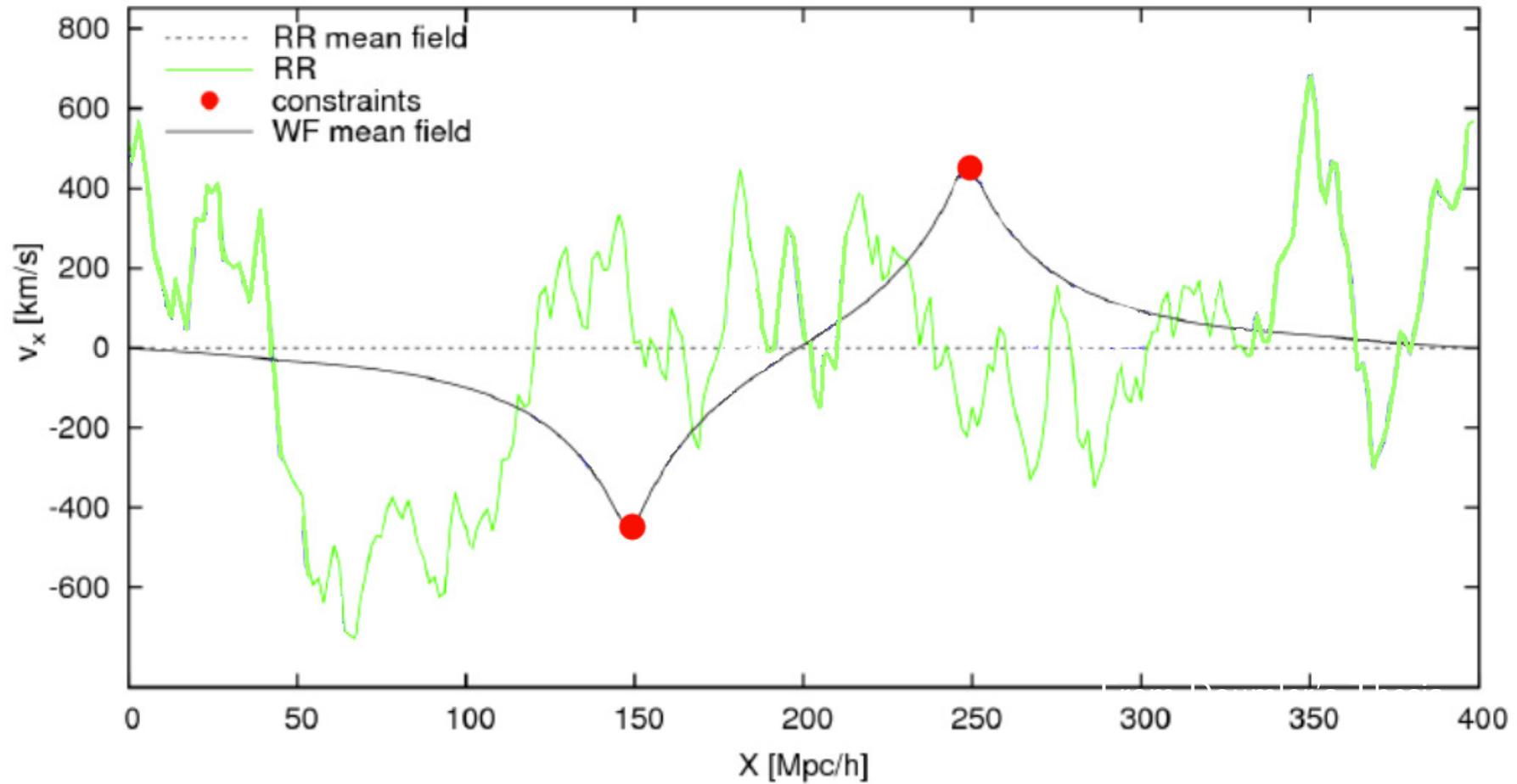
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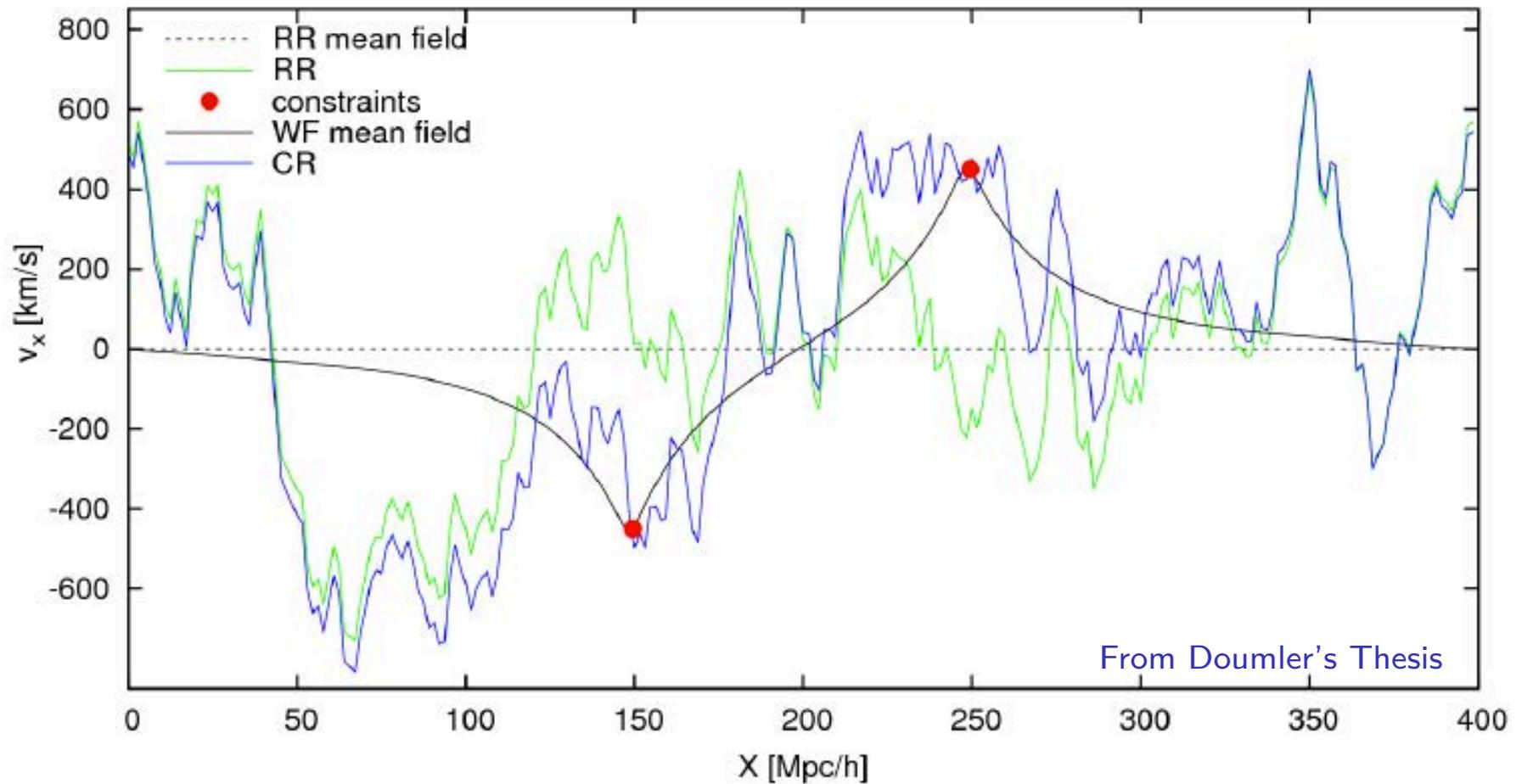
# 1D example - mean field



# 1D example - reduced power spectrum realization



# 1D example - constrained random field



# Reconstruction and Resampling of Density Fields

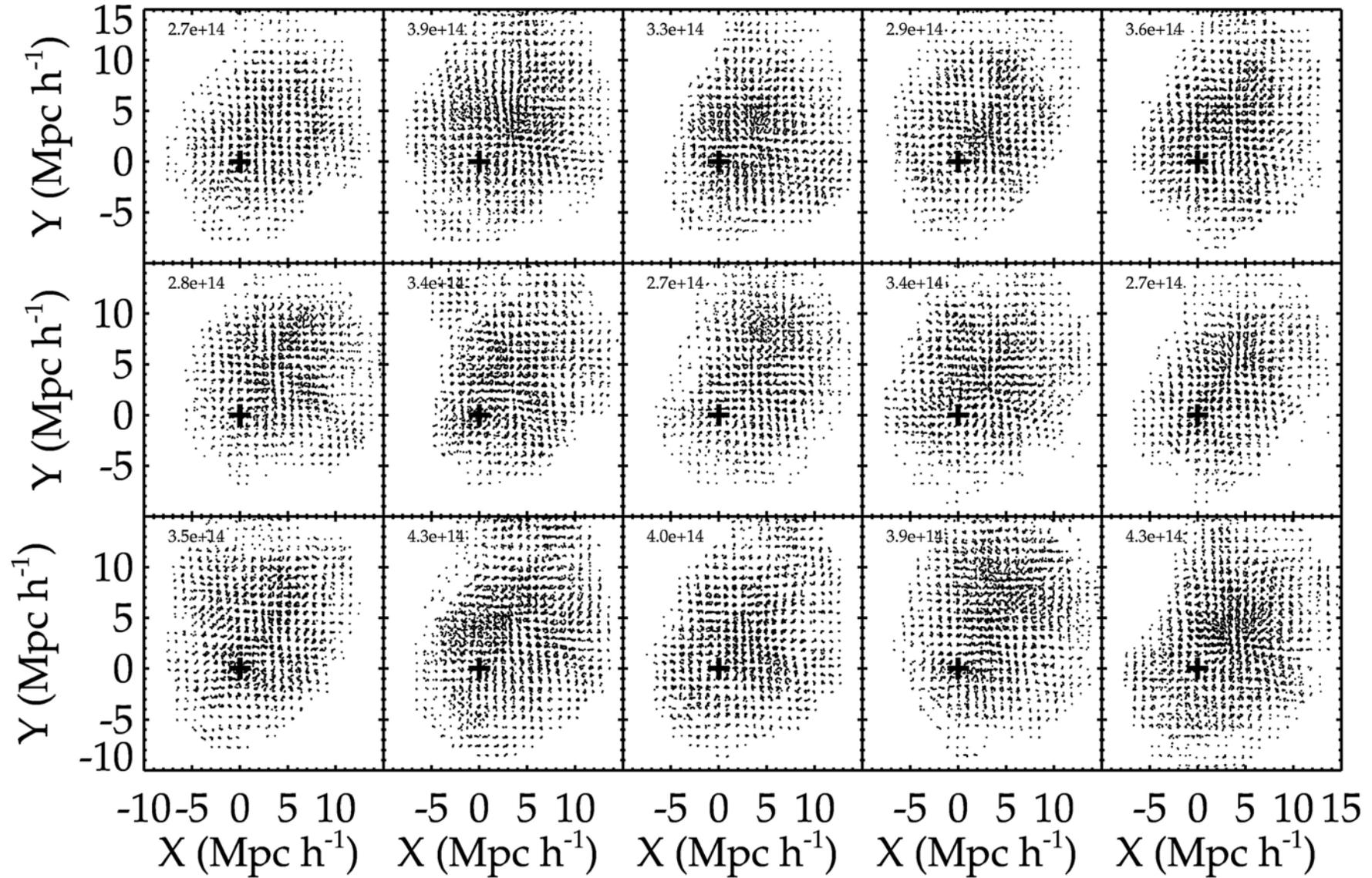
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- constraining Gaussian random fields (Hoffman & Ribak, 1991)
- radial velocity field (MARK III, Willick et al., 1997, Tonry 2001, Karachentsev 2004, Tully+Courtois 2013)
- nearby cluster positions (Reiprich & Böhringer, 2002)
- 2MASS galaxy distribution
- reconstruct the underlying density field
- create a Gaussian representation of this density field



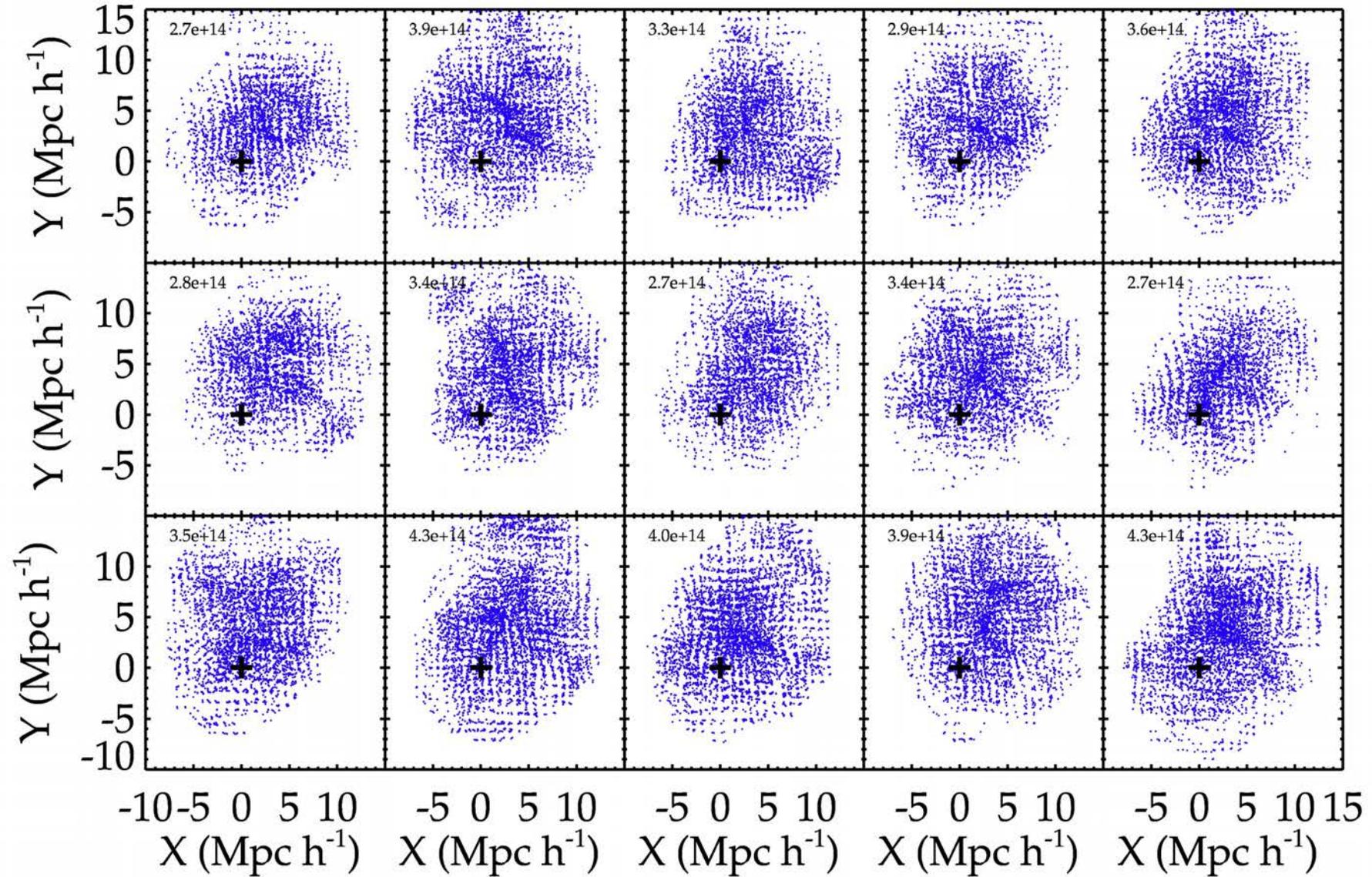
# Example Virgo (12 realizations)

$z=10$



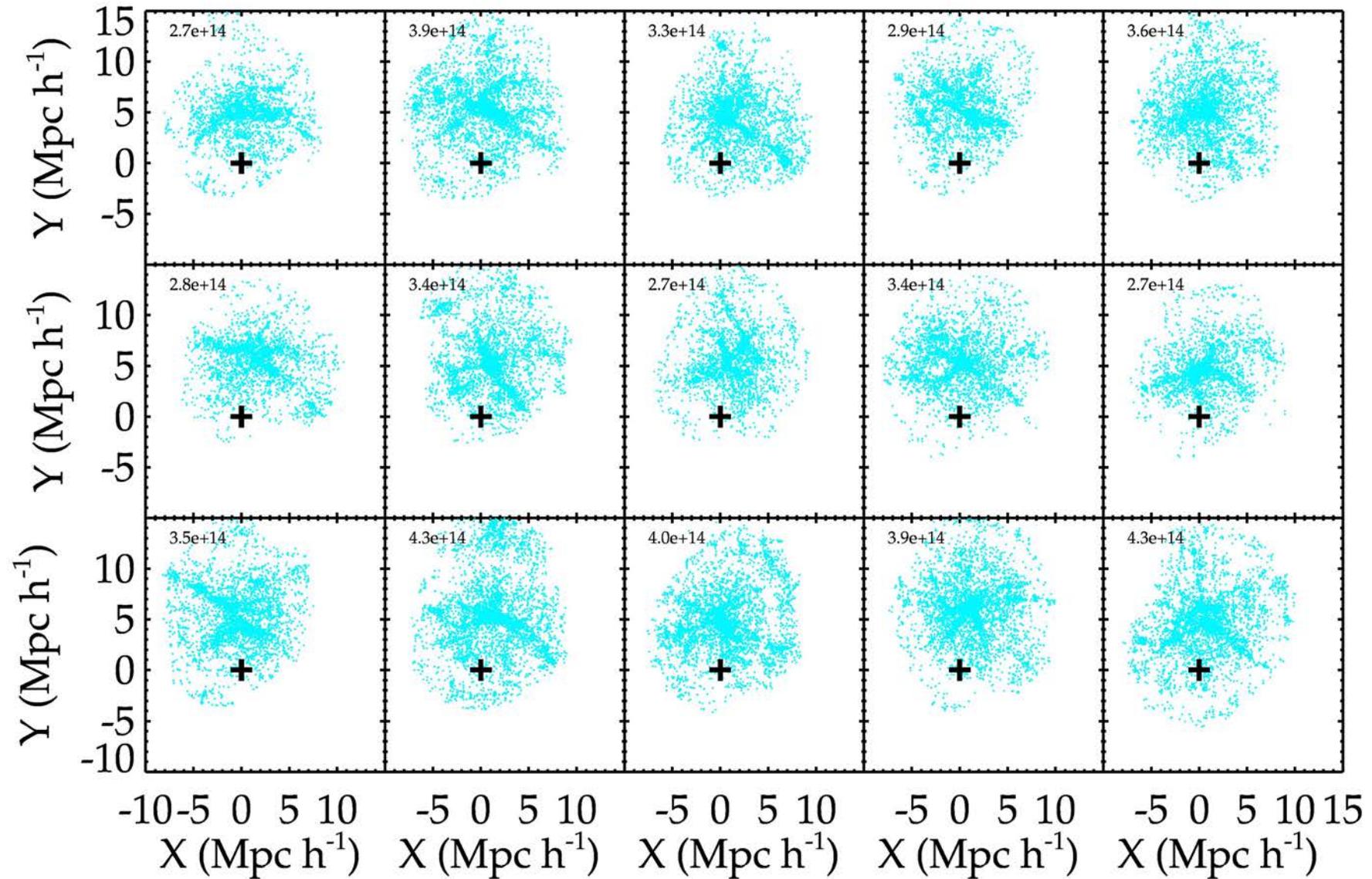
# Example Virgo (12 realizations)

$z=5$



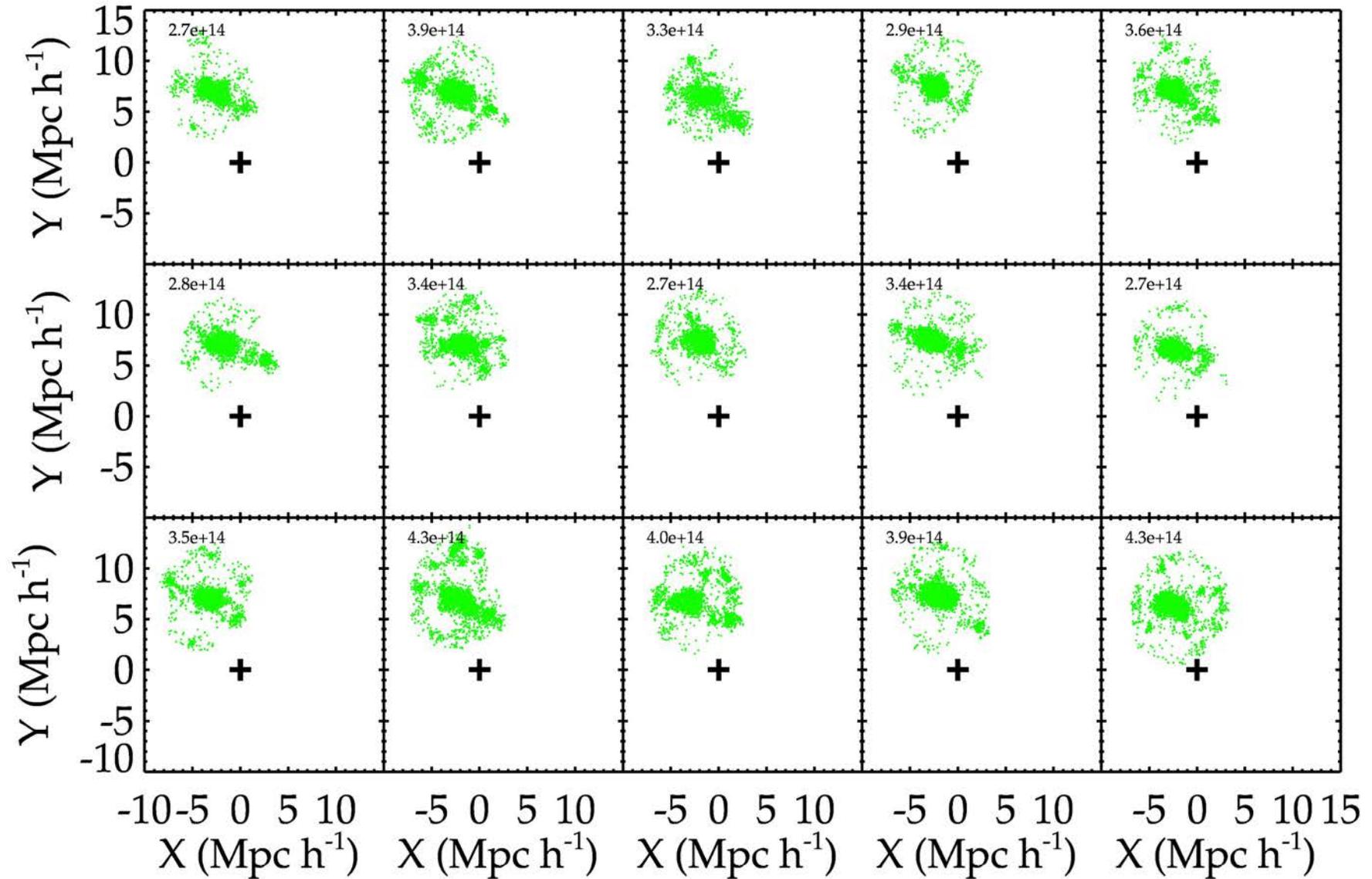
# Example Virgo (12 realizations)

$z=2$



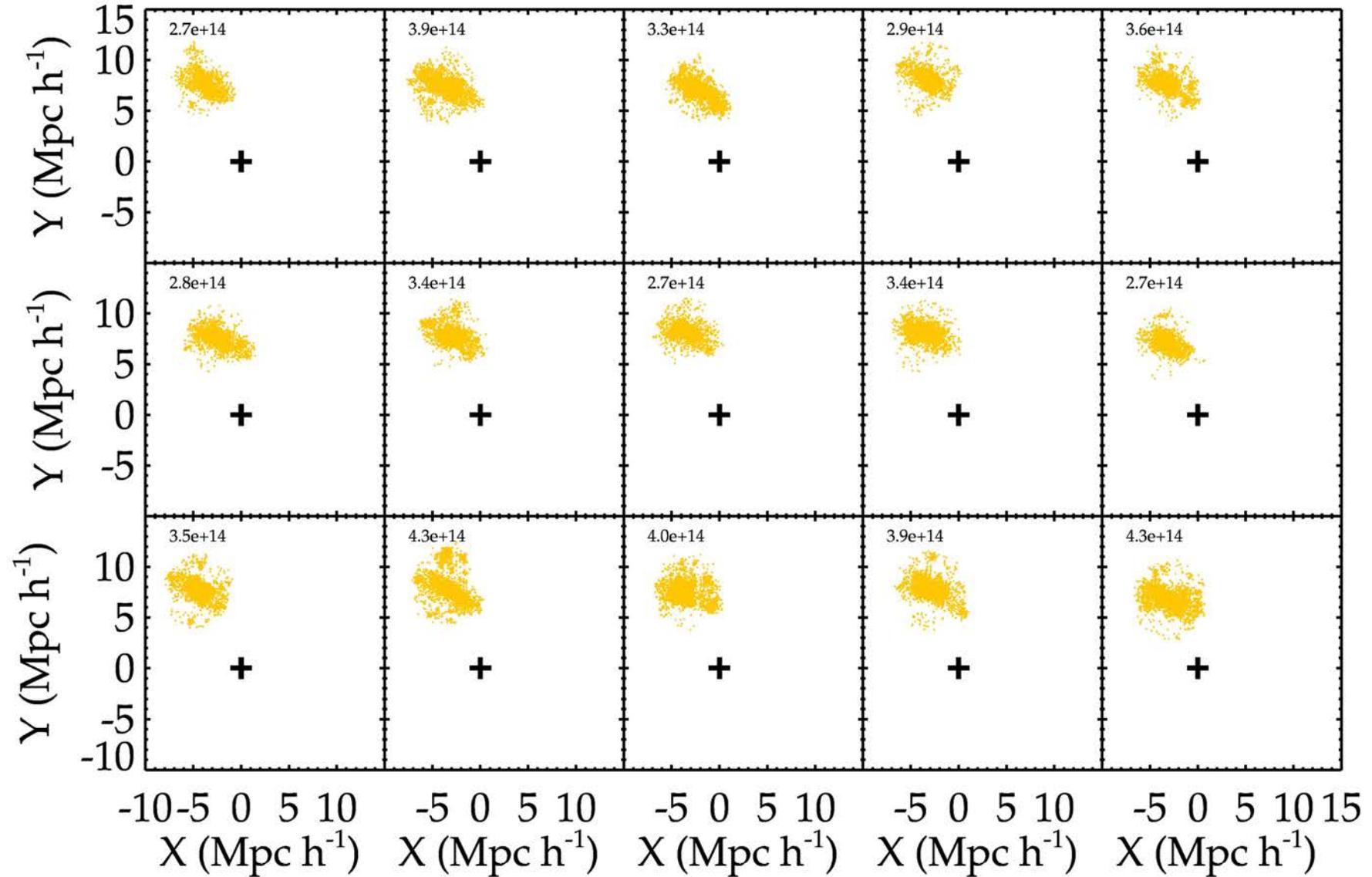
# Example Virgo (12 realizations)

$z=0.5$



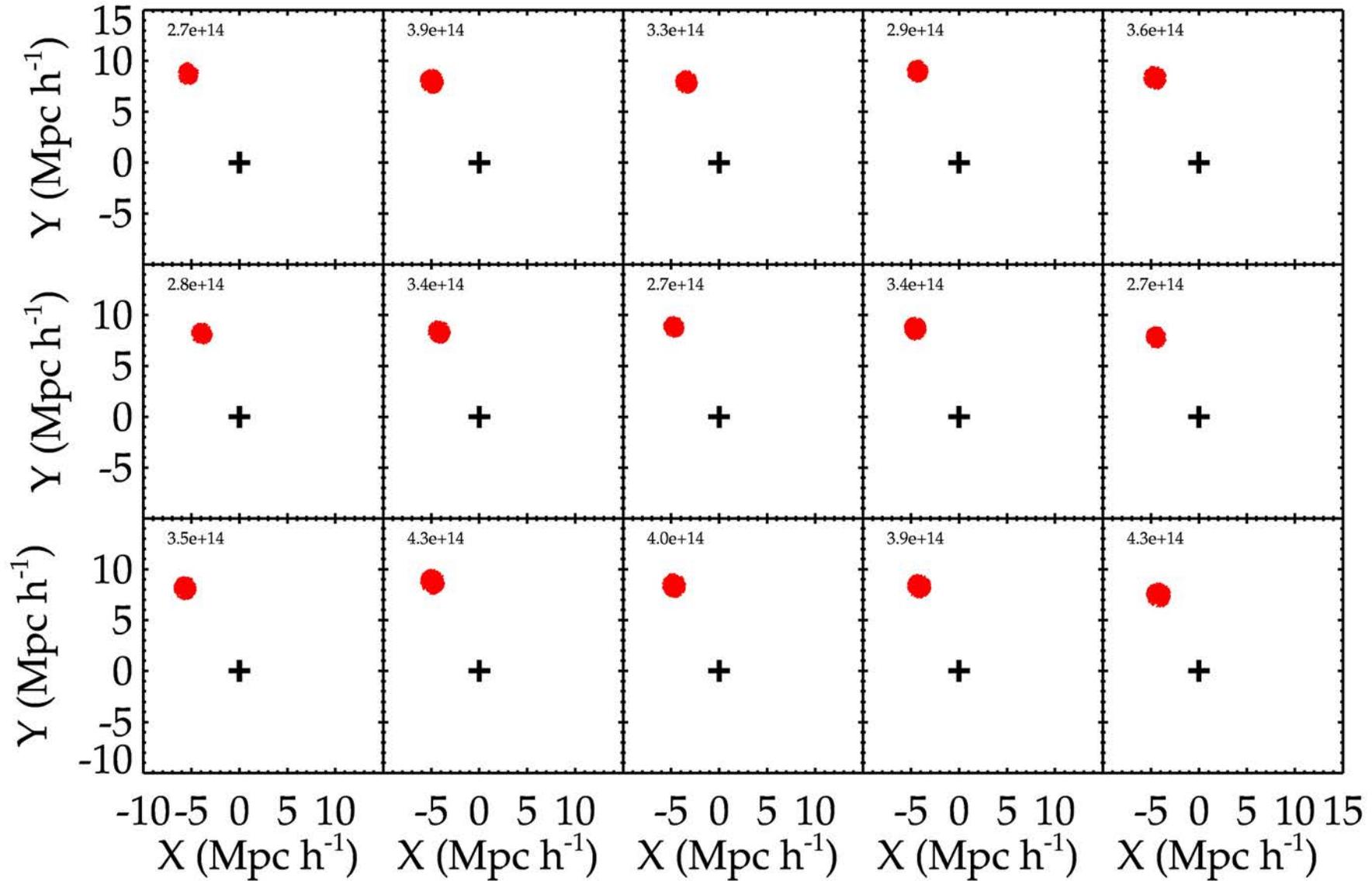
# Example Virgo (12 realizations)

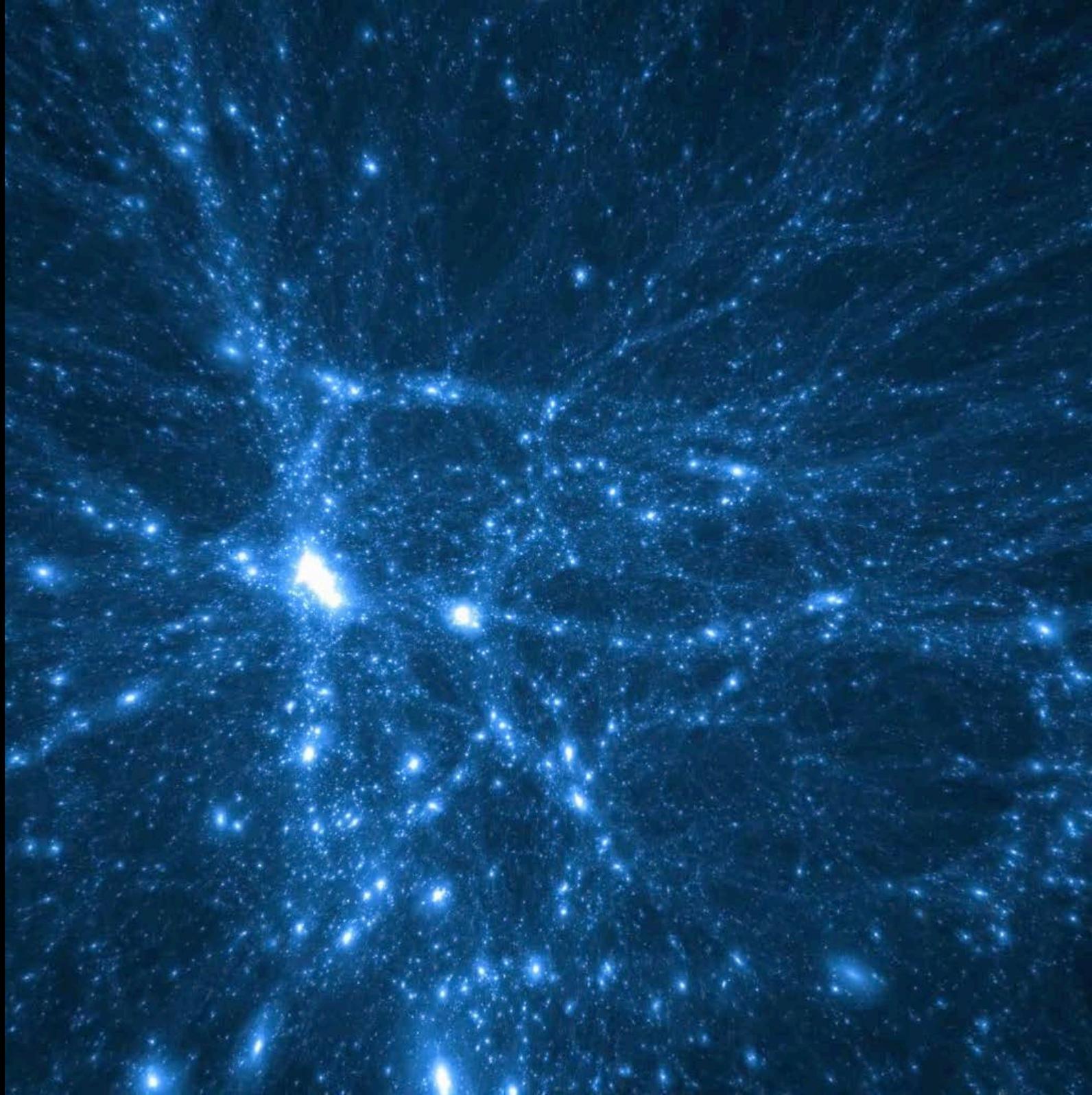
$z=0.25$



# Example Virgo (12 realizations)

$z=0$

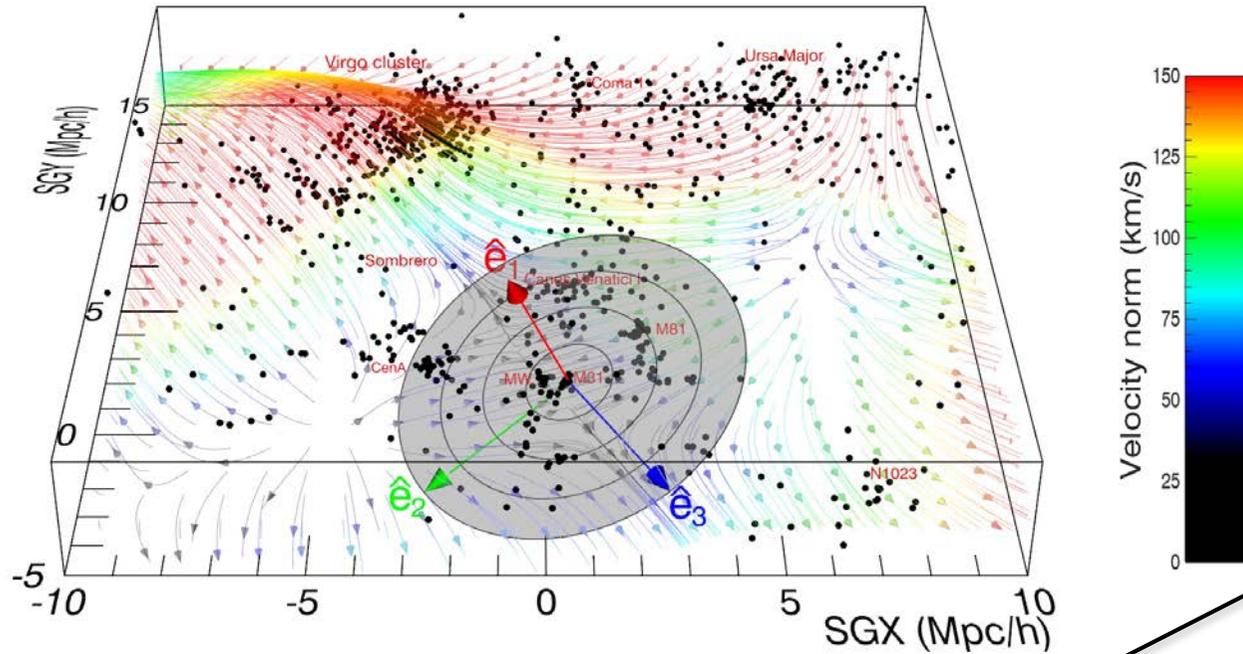






Vast planes of satellites  
compared to local LSS

# “Local” velocity field, from cosmic-flows-2

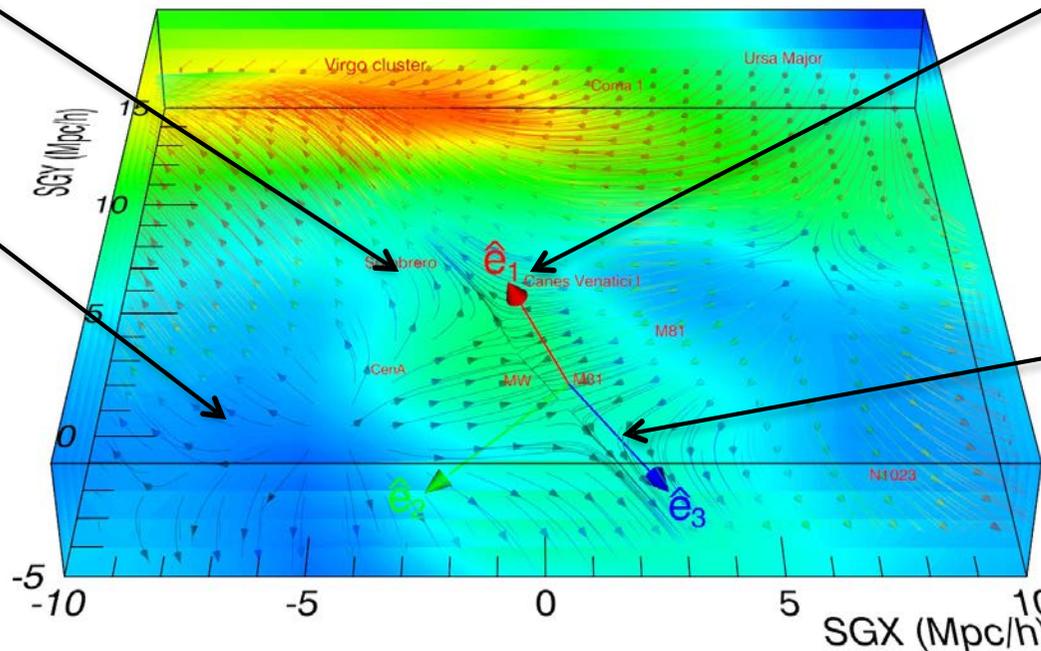


“Local Filament” stretched by Virgo

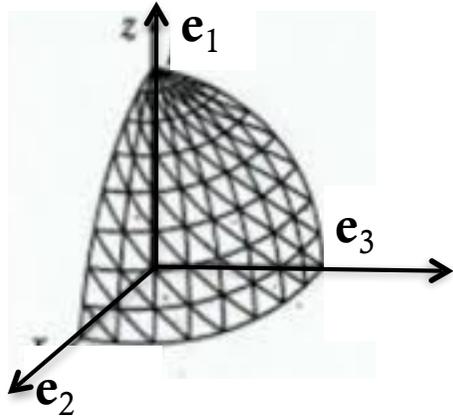
$\hat{e}_1$  sheet normal, points to the local void

Laterally squashed by a “mini-repeller”

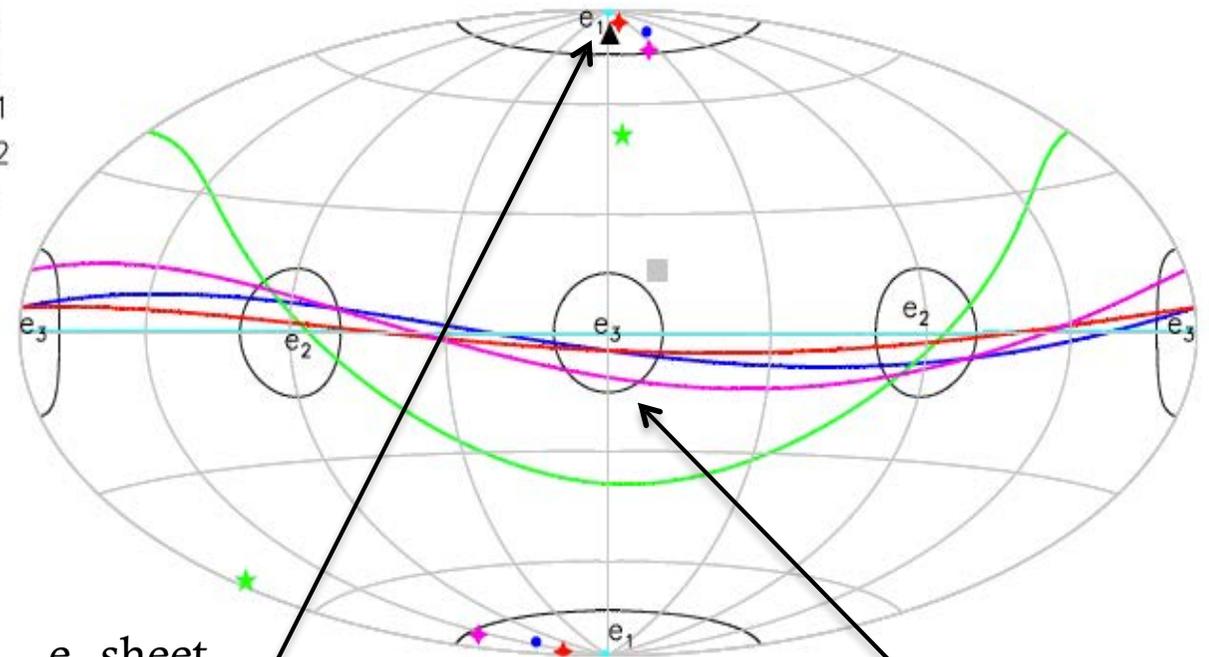
$\hat{e}_3$  filament axis, points to Virgo



# Alignment of satellite planes w.r.t. the shear field

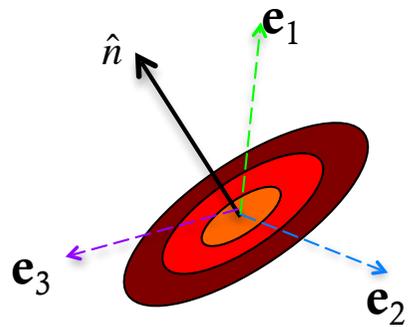


- ◆  $\Pi_{M31P1}$  to M31 plane 1
- ◆  $\Pi_{M31P2}$  to M31 plane 2
- $\Pi_{CAP1}$  to Cen A plane 1
- $\Pi_{CAP2}$  to Cen A plane 2
- ★  $\Pi_{MWP}$  to MW sat plane
- ▲  $r_{Local Void}$
- $r_{Virgo}$
- M31 Plane 1
- M31 Plane 2
- Cen A Plane 1
- Cen A Plane 2
- MW satellite plane



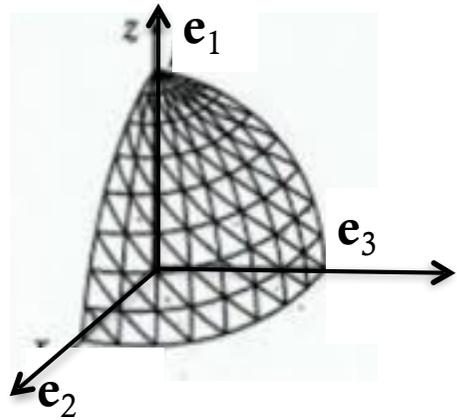
$e_1$  sheet normal, points to the local void

$e_3$  filament axis, points to Virgo

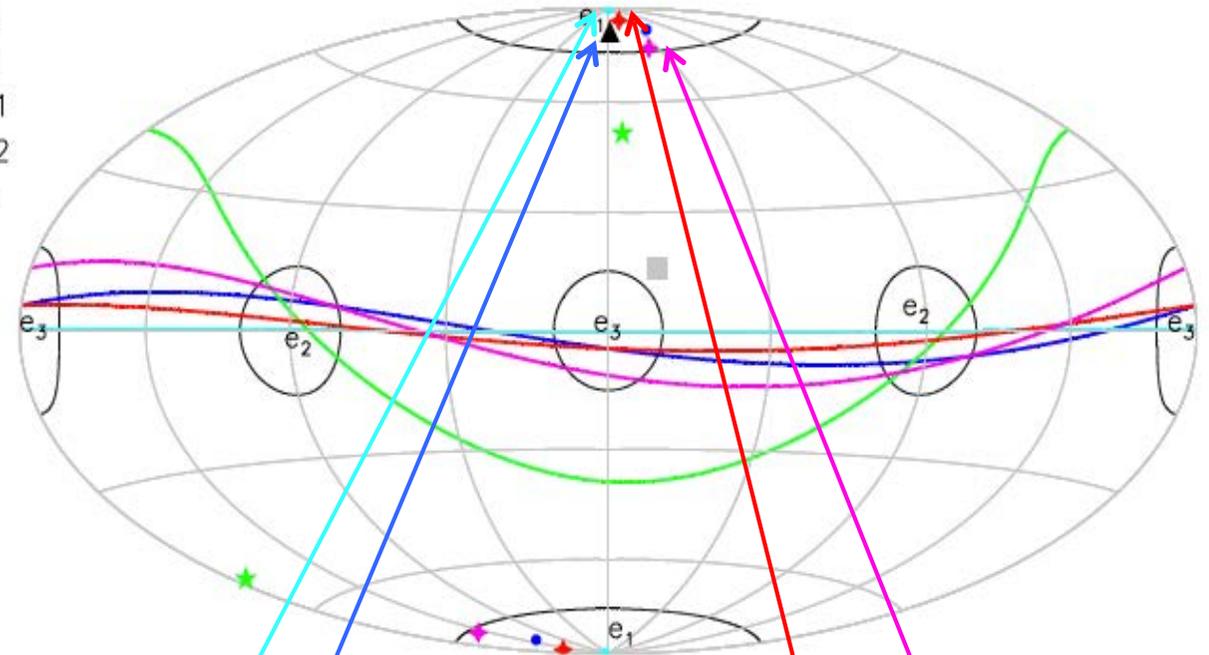


$$\begin{bmatrix} 0 & \frac{1}{2} \left( \frac{\partial v_x}{\partial y} - \frac{\partial v_y}{\partial x} \right) & \frac{1}{2} \left( \frac{\partial v_x}{\partial z} - \frac{\partial v_z}{\partial x} \right) \\ -\frac{1}{2} \left( \frac{\partial v_y}{\partial x} - \frac{\partial v_x}{\partial y} \right) & 0 & \frac{1}{2} \left( \frac{\partial v_y}{\partial z} - \frac{\partial v_z}{\partial y} \right) \\ -\frac{1}{2} \left( \frac{\partial v_z}{\partial x} - \frac{\partial v_x}{\partial z} \right) & -\frac{1}{2} \left( \frac{\partial v_y}{\partial z} - \frac{\partial v_z}{\partial y} \right) & 0 \end{bmatrix}$$

# Alignment of satellite planes w.r.t. the shear field

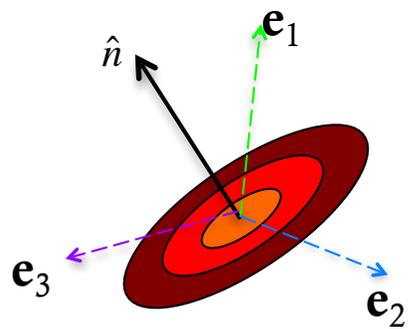


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- M31 Plane 1
- M31 Plane 2
- Cen A Plane 1
- Cen A Plane 2
- MW satellite plane



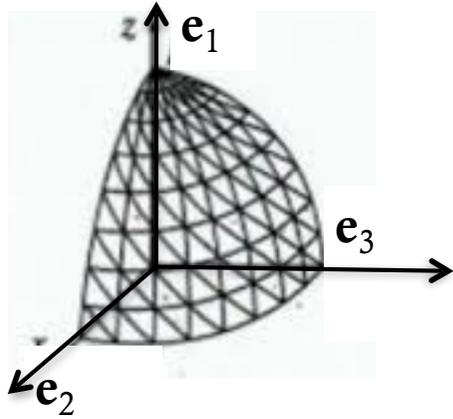
2 planes in CenA  
are well aligned

2 planes in M31  
are well aligned

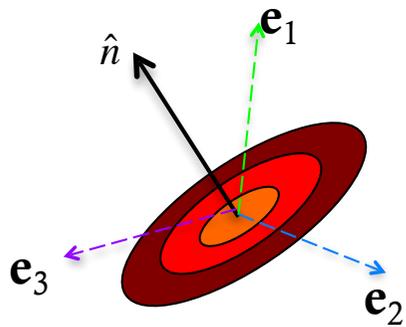
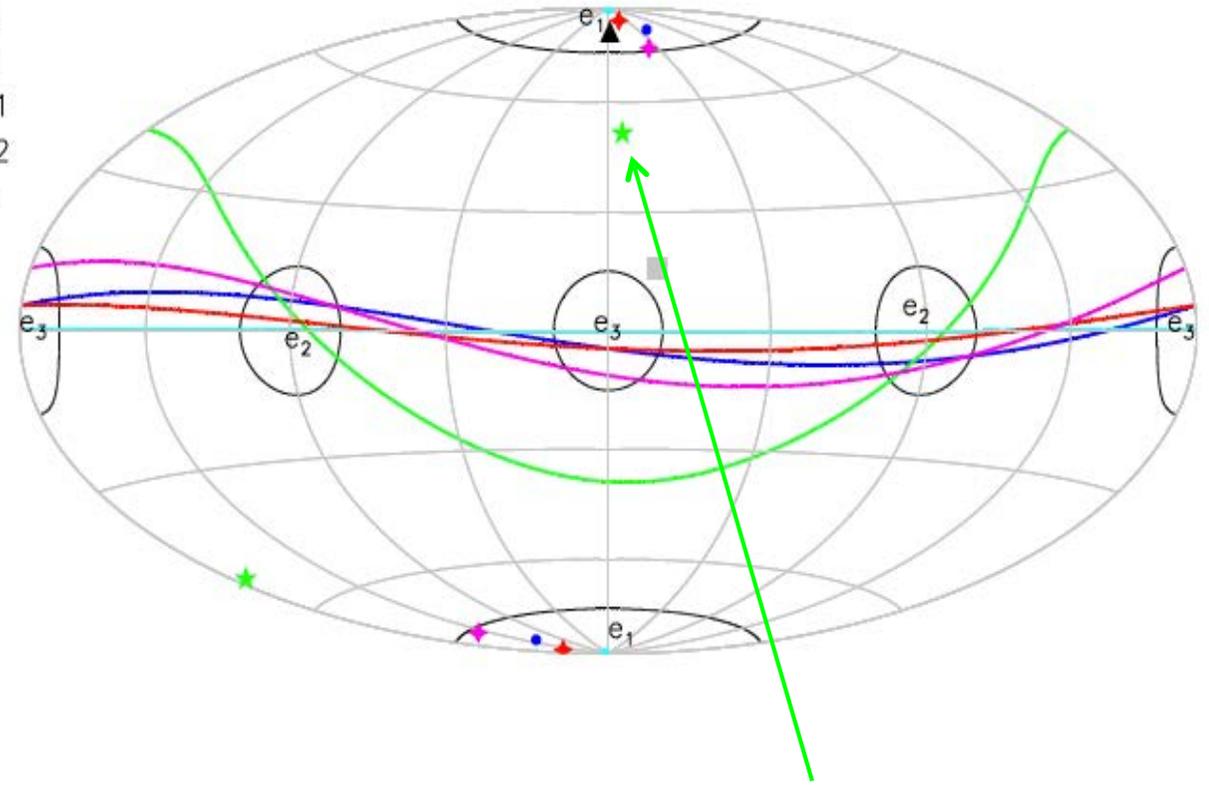


$$\begin{bmatrix} 0 & \frac{1}{2} \left( \frac{\partial v_x}{\partial y} - \frac{\partial v_y}{\partial x} \right) & \frac{1}{2} \left( \frac{\partial v_x}{\partial z} - \frac{\partial v_z}{\partial x} \right) \\ -\frac{1}{2} \left( \frac{\partial v_y}{\partial x} - \frac{\partial v_x}{\partial y} \right) & 0 & \frac{1}{2} \left( \frac{\partial v_y}{\partial z} - \frac{\partial v_z}{\partial y} \right) \\ -\frac{1}{2} \left( \frac{\partial v_z}{\partial x} - \frac{\partial v_x}{\partial z} \right) & -\frac{1}{2} \left( \frac{\partial v_y}{\partial z} - \frac{\partial v_z}{\partial y} \right) & 0 \end{bmatrix}$$

# Alignment of satellite planes w.r.t. the shear field



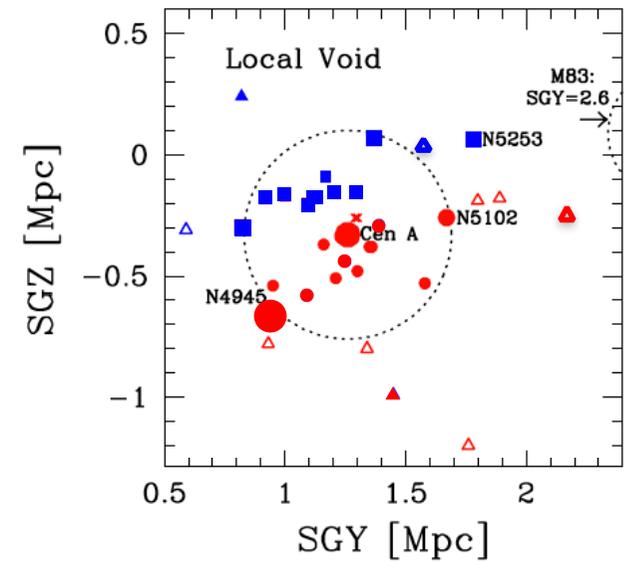
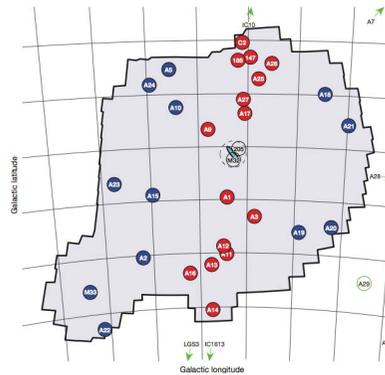
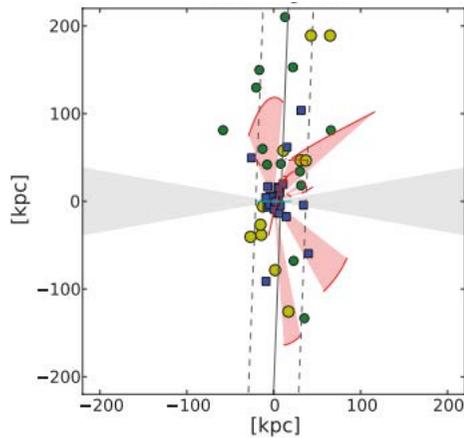
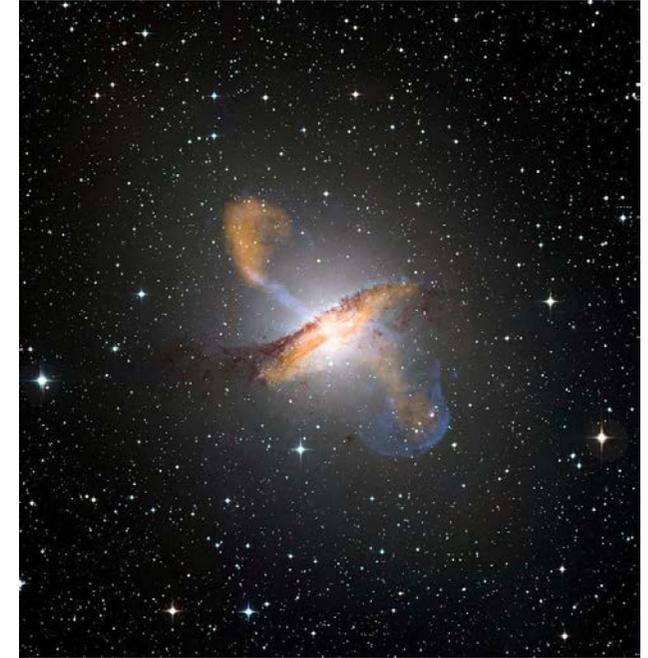
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- ▲  $r_{Local Void}$
- $r_{Virgo}$
- M31 Plane 1
- M31 Plane 2
- Cen A Plane 1
- Cen A Plane 2
- MW satellite plane



MW plane is off by  $\sim 38$  deg, appears to have been torqued about the  $e_2$  axis

$$\begin{bmatrix} 0 & \frac{1}{2} \left( \frac{\partial v_x}{\partial y} - \frac{\partial v_y}{\partial x} \right) & \frac{1}{2} \left( \frac{\partial v_x}{\partial z} - \frac{\partial v_z}{\partial x} \right) \\ -\frac{1}{2} \left( \frac{\partial v_y}{\partial x} - \frac{\partial v_x}{\partial y} \right) & 0 & \frac{1}{2} \left( \frac{\partial v_y}{\partial z} - \frac{\partial v_z}{\partial y} \right) \\ -\frac{1}{2} \left( \frac{\partial v_z}{\partial x} - \frac{\partial v_x}{\partial z} \right) & -\frac{1}{2} \left( \frac{\partial v_y}{\partial z} - \frac{\partial v_z}{\partial y} \right) & 0 \end{bmatrix}$$

# Summary of Local Volume Planes



4 out of 5 satellite planes are well aligned with shear field!

$\sim 1-9^\circ$

Halo Mass  
 $\sim 1-5 \times 10^{13}$

Nothing bigger than  
itself within 3Mpc

Lets test for:

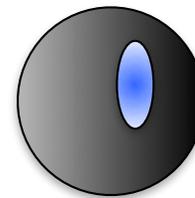
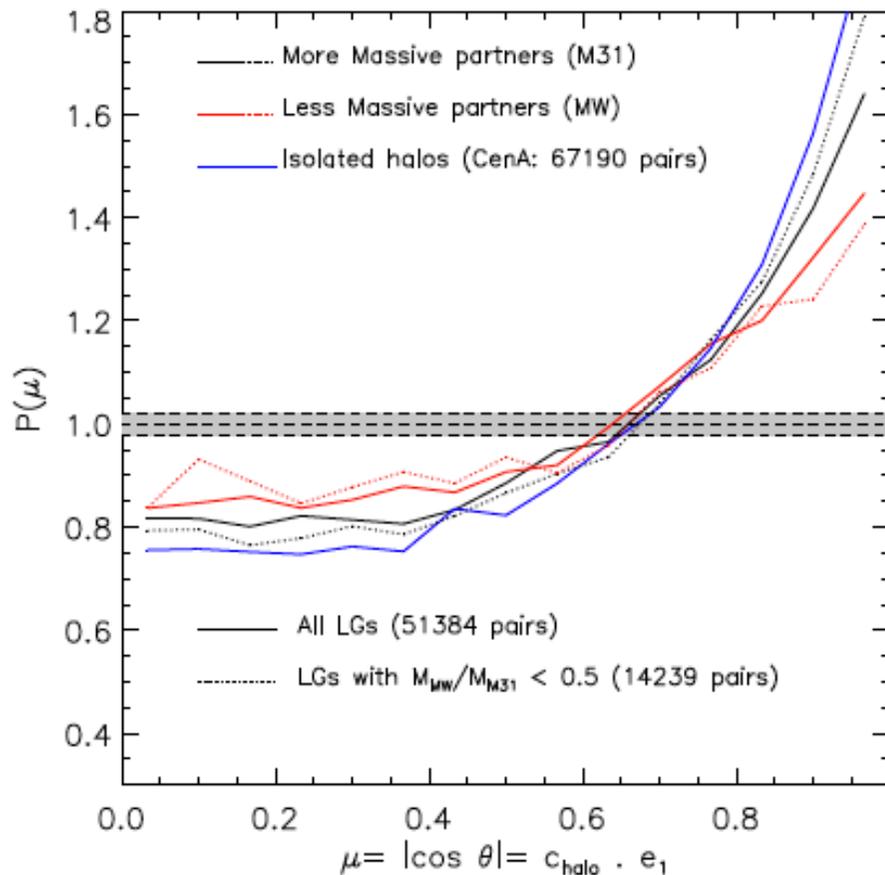
“Local Group” pairs

Cen A analogues

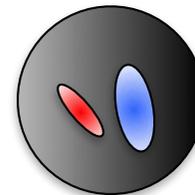
Two halos  $r \sim 1\text{Mpc}$

Nothing else  $r < 1\text{Mpc}$

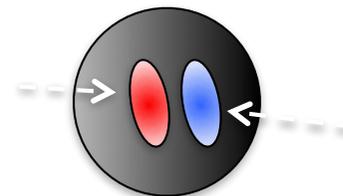
Nothing  $M > M_{\text{Virgo}}$   
within  $d \sim 10\text{Mpc}$



Isolated Massive



Less massive partner,  
not as well aligned



# The mass of the Milky Way and the local dark matter density

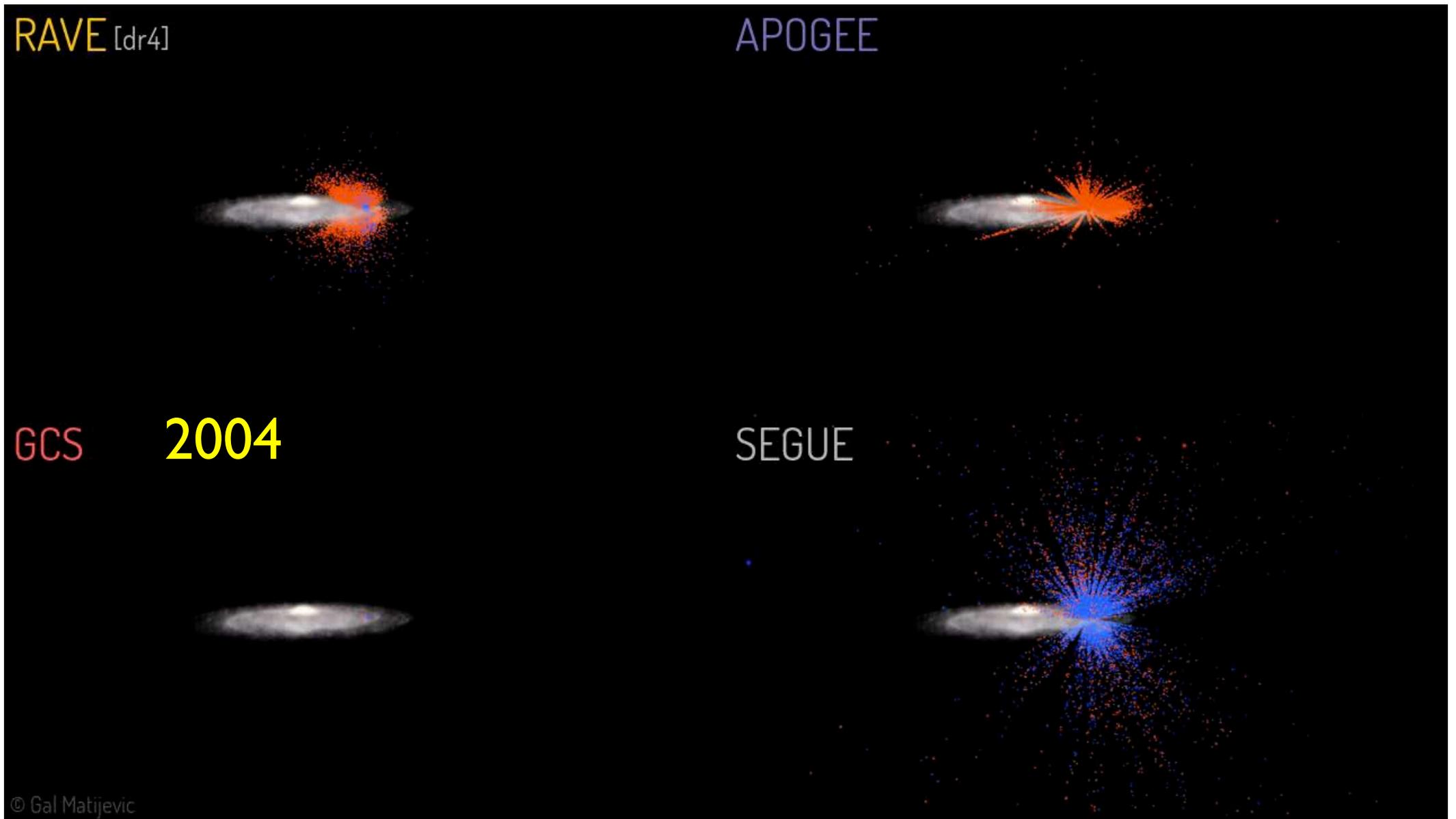
# Systematic spectroscopic surveys 2004

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Geneva-Copenhagen



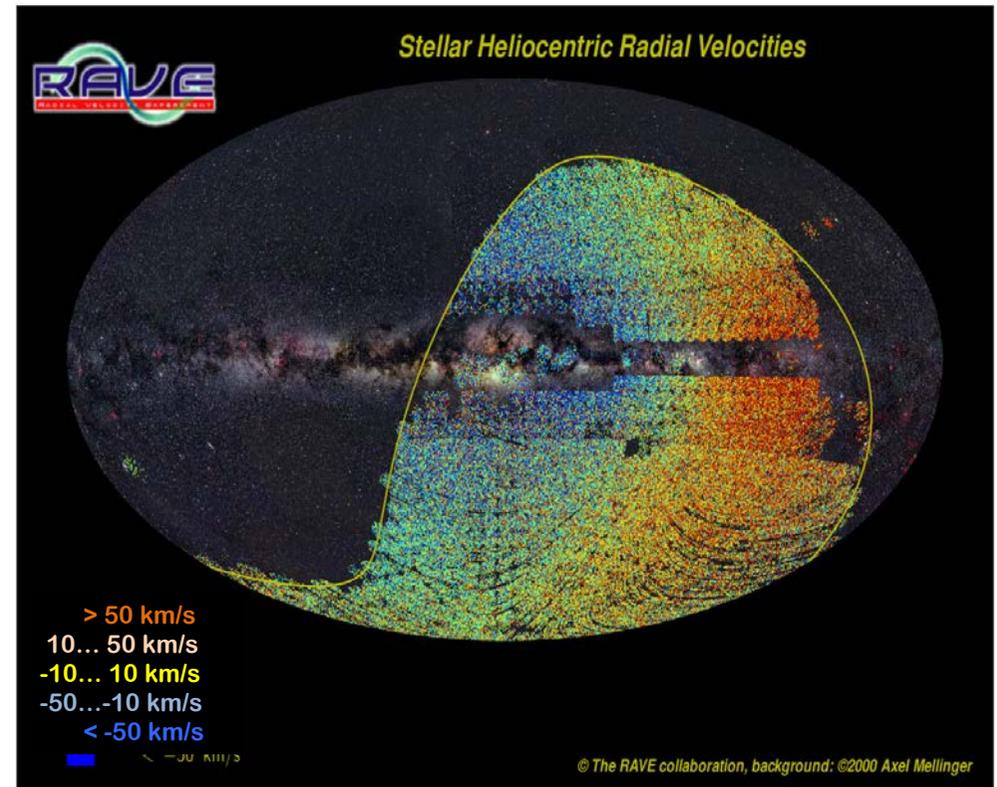
# Systematic spectroscopic surveys 2014



- Intermediate resolution ( $R \sim 7500$ )
- 425 561 stars,
- 482 430 spectra  
(DR3: 77 461 stars)
- $9 < I < 12$  mag

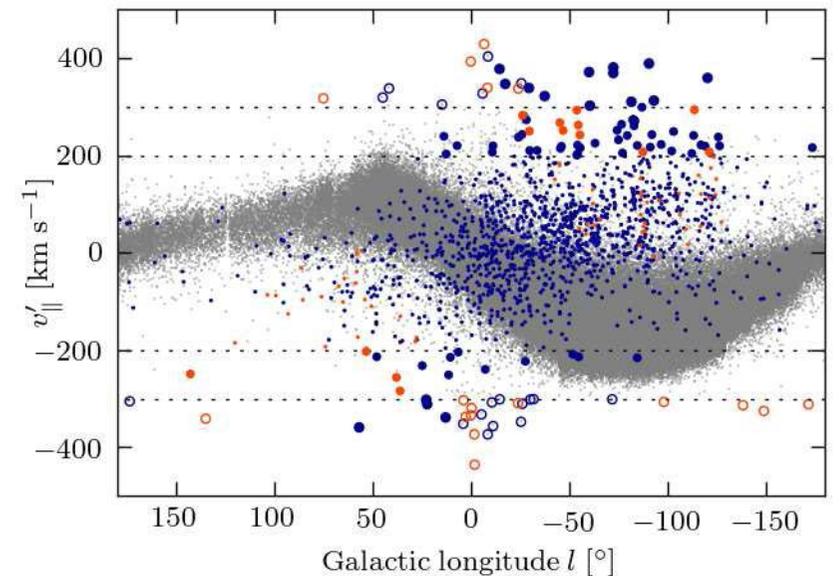
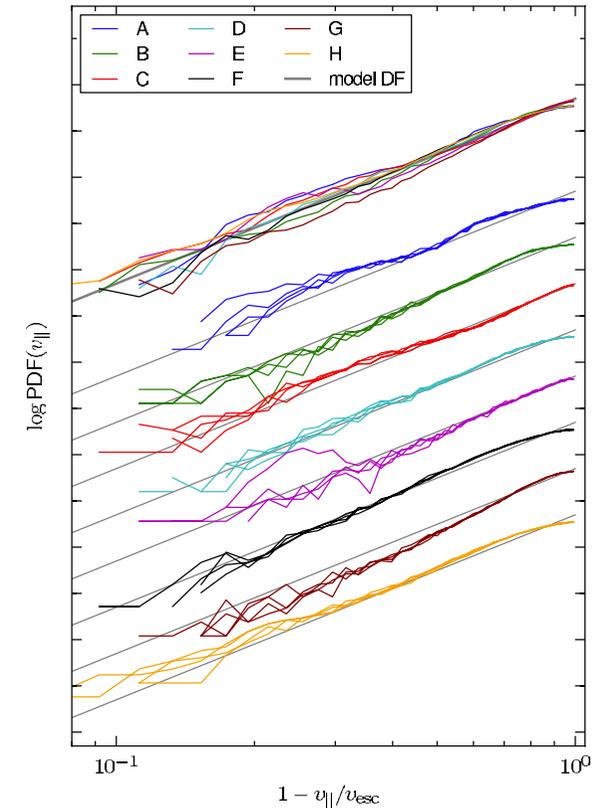
### Database:

- ✓ Radial velocities
- ✓ Spectral morphological flags
- ✓  $T_{\text{eff}}$ ,  $\log g$ ,  $[M/H]$
- ✓ Mg, Al, Si, Ti, Ni, Fe
- ✓ Line-of-sight Distances
- ✓ Photometry:  
DENIS, USNOB, 2MASS, APASS
- ✓ Proper motions:  
UCAC4, PPMX, PPMXL, Tycho-2, SPM4

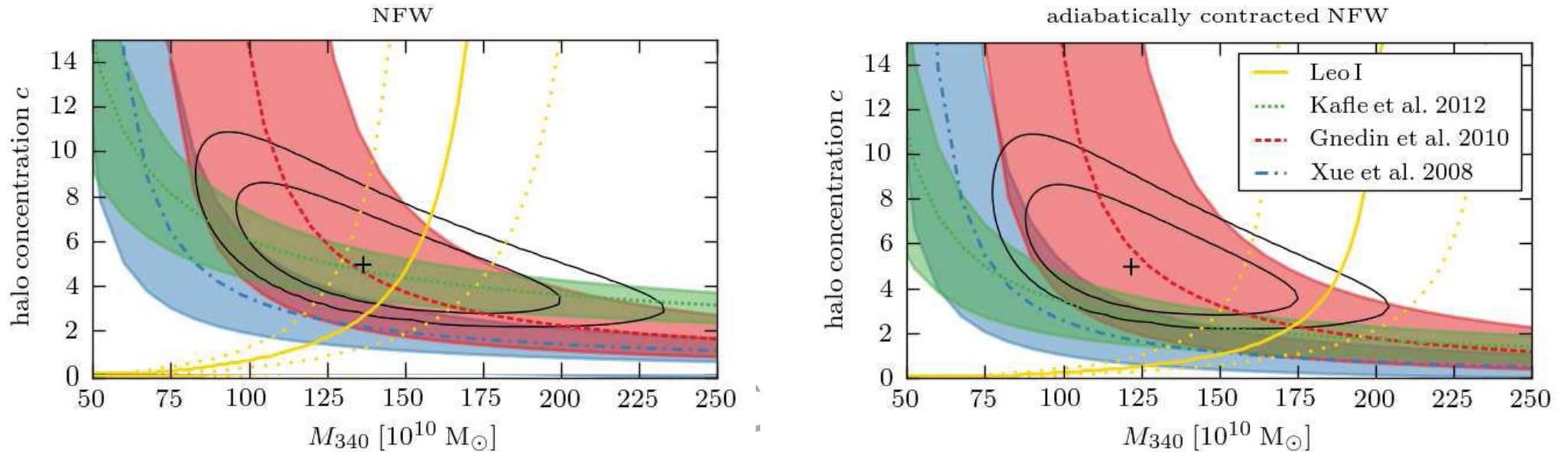


# Escape speed of the Milky Way at the Solar Circle

- Leonard & Tremaine (1990):
  - consider distribution function  $f(E)$
  - $f \rightarrow 0$  as  $E \rightarrow \Phi(r_{\text{vir}}) \Rightarrow n(v) \propto (v_{\text{esc}} - v)^k$
- Consequently for line of sight:
 
$$n(v_{\parallel}) \propto (v_{\text{esc}} - v_{\parallel})^{k+1}$$
- Dependence verified via cosmological simulations
- Measure distribution  $n(v_{\parallel})$  for high velocity stars with RAVE on counterrotating orbits
- Smith + RAVE (2007):
 
$$498 \text{ km/s} < v_{\text{esc}} < 608 \text{ km/s}$$



# Mass of the Milky Way with additional constraints



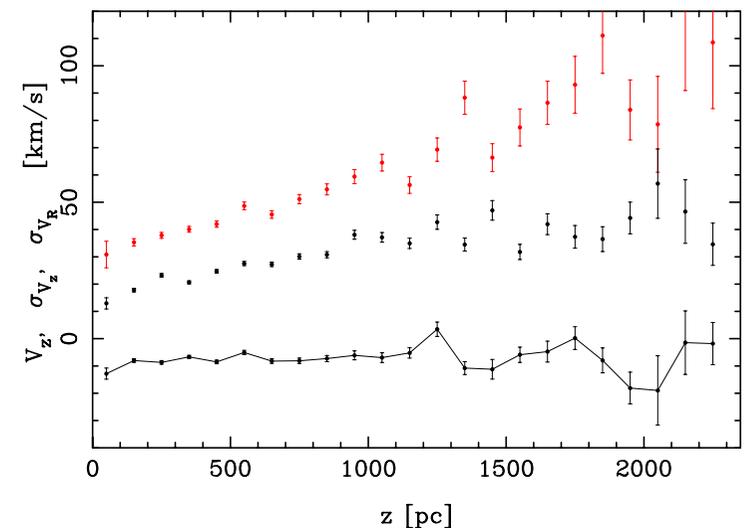
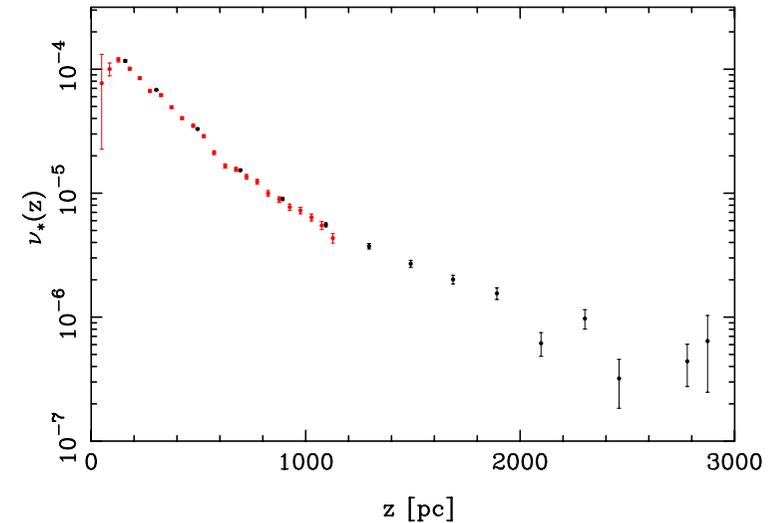
Kafle: Mass within 25kpc

Xue: Mass within 60kpc

Gnedin: Mass within 85kpc

# Determining the local density by the $K_z$ force

- Take a sample of RAVE stars in a 500pc radius cylinder towards the South Galactic Pole up to 2 kpc from the Galactic Plane.
- subset of red clump stars gives good distances.
- Change in kinematics with vertical distances gives total vertical force (in simplest approximation proportional to surface density)
- number counts of stars gives baryonic mass distribution



# Determining the local density by the $K_z$ force

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$$\frac{K_z(1\text{kpc})}{2\pi G} = 68.5 \pm 1.0 M_\odot \text{pc}^{-2}$$

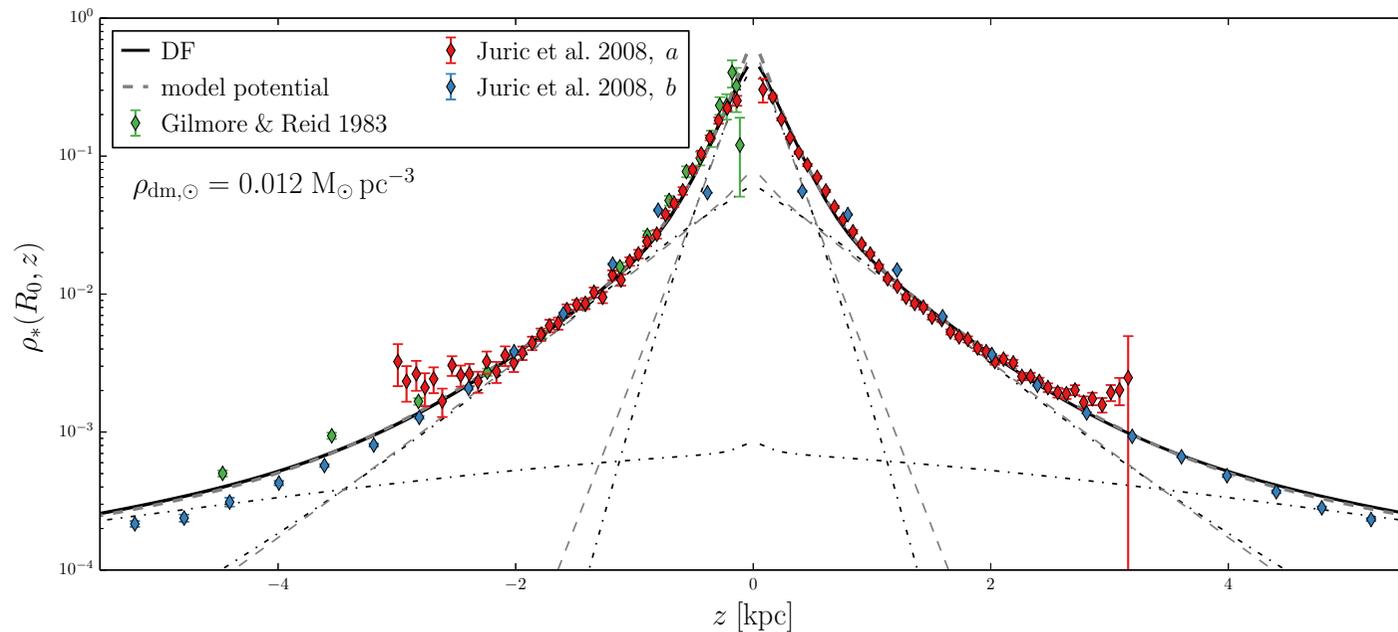
$$\frac{K_z(2\text{kpc})}{2\pi G} = 96.9 \pm 2.2 M_\odot \text{pc}^{-2}$$

$$\begin{aligned} \rho_{\text{DM}}(z=0) &= 0.0143 \pm 0.0011 M_\odot \text{pc}^{-3} \\ &= 0.542 \pm 0.042 \text{ GeV cm}^{-3} \end{aligned}$$

- stronger increase of surface density between 1kpc and 2kpc, indicative for a flattened halo ( $q \approx 0.8$ )
- distance errors, biases, selection effects ... ?

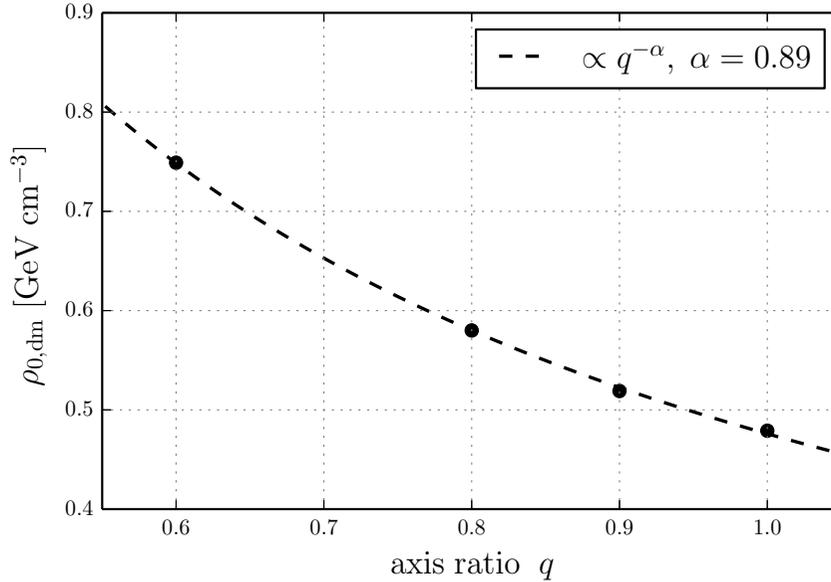
# Dark mass in the solar neighborhood (Piffl et al 2014)

- Mass Model:
  - three exponential disks
  - flattened bulge
  - NFW dark matter halo
- Binney 2012 model for kinematics (incl. stellar halo)
- Model fit to vertical RAVE data



# Results

$$\rho_{\text{DM}} = 0.48 \times q^{-0.89} \text{GeV}/\text{cm}^3$$



Model potential parameters

$\Sigma_{0,\text{thin}}$	570.7	$M_{\odot} \text{pc}^{-2}$
$\Sigma_{0,\text{thick}}$	251.0	$M_{\odot} \text{pc}^{-2}$
$R_{\text{d}}$	2.68	kpc
$z_{\text{d,thin}}$	0.20	kpc
$z_{\text{d,thick}}$	0.70	kpc
$\Sigma_{0,\text{gas}}$	94.5	$M_{\odot} \text{pc}^{-2}$
$R_{\text{d,gas}}$	5.36	kpc
$\rho_{0,\text{dm}}$	0.01816	$M_{\odot} \text{pc}^{-3}$
$r_{0,\text{dm}}$	14.4	kpc

DF parameters

$\sigma_{r,\text{thin}}$	33.9	$\text{km s}^{-1}$
$\sigma_{z,\text{thin}}$	24.9	$\text{km s}^{-1}$
$R_{\sigma,r,\text{thin}}$	9.0	kpc
$R_{\sigma,z,\text{thin}}$	9.0	kpc
$\sigma_{r,\text{thick}}$	50.5	$\text{km s}^{-1}$
$\sigma_{z,\text{thick}}$	48.7	$\text{km s}^{-1}$
$R_{\sigma,r,\text{thick}}$	12.9	kpc
$R_{\sigma,z,\text{thick}}$	4.1	kpc
$F_{\text{thick}}$	0.460	
$F_{\text{halo}}$	0.026	

$$\rho_{\text{DM}} = 0.0126 \times q^{-0.89} M_{\odot} \text{pc}^{-3} \pm 10\%$$

$$\Sigma_{\text{DM}}(< 0.9\text{kpc}) = (69 \pm 10) M_{\odot} \text{pc}^{-2}$$

$$M_{\text{DM}}(< R_0) = (6.0 \pm 0.9) \times 10^{10} M_{\odot}$$

$$M_{\text{vir}} = (1.3 \pm 0.1) \times 10^{12} M_{\odot}$$

- 46% of the radial force acting on the Sun provided by baryons
- Bienamyé et al (2014): RAVE stars towards Galactic Pole, red clump distances:  $\rho_{\text{DM}}(R=R_0, z=0) = 0.0143 M_{\odot} \text{pc}^{-3}$

# Summary

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- Vast planes of galaxies pose an interesting challenge to the LCDM structure formation scenario
  - so far 5 planes have been established in the Local Group system
  - Are such planes ubiquitous in the Universe or a cosmic fluke of our local environment?
- Comparison with LSS simulations designed to reproduce the Local Group environment
  - strong alignment of satellite planes with local shear field
  - indicative of correlation of the galaxy formation process with the inflow pattern in the cosmic suburb
- Mass estimates for the MW dark matter halo based on spectroscopic surveys indicative of a relatively low total mass/local DM density